

Questions on Momentum MS

1. Momentum
 Use of $p = mv$ (1)
 Total momentum = 0.32 kg m s^{-1} or N s (1) 2
Velocity
 Use of conservation of momentum (1)
 0.062 m s^{-1} [Allow e.c.f. from wrong first answer] (1)
 East/in same direction as B moved originally (1) 3
 [Only award last mark if momenta subtracted in first part] [5]
2. $30 \text{ m} \div (5 \times 0.62 \text{ s})$
 $= 9.7 \text{ m s}^{-1}$ 2
 $(7000 \text{ kg} \times 9.7 \text{ m s}^{-1})$ [allow 10 m s^{-1} as e.c.f.]
 $= 68\,000 \text{ (kg m s}^{-1})$ 2
 Momentum before = momentum after
 $(7000 \text{ kg} \times 9.7 \text{ m s}^{-1}) + 0 = (7000 \text{ kg} + 5000 \text{ kg}) \times v$
 $v = (7000 \text{ kg} \times 9.7 \text{ m s}^{-1}) \div (12\,000 \text{ kg})$
 $= 5.7 \text{ m s}^{-1}$ [allow 5.8 if e.c.f. of 10 m s^{-1}] 3
 Force = change in momentum \div time
 $= 7000 \text{ kg} \times [9.7 \text{ m s}^{-1} - 5.7 \text{ m s}^{-1}] \div 0.30 \text{ s}$
 $= 93\,000 \text{ N}$ [98 000 N if 10 m s^{-1} used] 3
[10]
3. Experiment
 2 light gates (1)
 Gate gives time trolley takes to pass [not just 'the time'] (1)
 Speed = length of 'interrupter'/time taken (1)
 OR
 2 ticker timers (1)
 Dots at known time intervals (1)
 Speed = length of tape section/time taken (1) 3
 [ruler + clock could obtain third mark only, specifying a length/time]
Total momentum of trolleys
 Zero (1)
 It was zero initially **or** momentum is conserved [consequent] (1) 2
Speed v of A
 Use of momentum = mass \times velocity (1)
 Use of mass \times speed (A) = mass \times speed (B) (1)
 1.8 m s^{-1} [ignore -ve signs] (1) 3
[8]
4. Momentum and its unit
 Momentum = mass \times velocity 1
 kg m s^{-1} or N s 1
Momentum of thorium nucleus before the decay

Zero	1
<u>Speed of alpha particle/radium nucleus and directions of travel</u>	
Alpha particle because its mass is smaller/lighter	1
So higher speed for the same (magnitude of) momentum OR N3 argument	1
Opposite directions/along a line	1

[6]

5. Momentum of driver:

Correct use of $p = mv$ [OR with numbers] (1)	
= 1500 N s OR 1500 kg m s ⁻¹ (1)	2

Average resultant force:

Correct choice of $F \times t = \Delta p$	OR	$F = ma$ (1)	
$F \times 0.07$ (s) = 1500 (N s)		$F = 50 \times 429/50 \times 30/0.07$ (1)	
= 21 kN		= 21 kN (1)	3

[Ignore sign of answer]

Why resultant force is not the same as force exerted on driver by seatbelt:

Air bags /floor/friction/seat/steering wheel (1)	
[Named force other than weight/reaction]	1

[6]

6. Mass of head of mallet

Selecting density x volume (1)	
Correct substitutions (1)	
Mass = 1.15 (kg) [3 significant figures, minimum] (1)	3

Momentum change

$p = mv$ used (1)	
$\Delta p = 1.15$ or 1.2 kg (4.20 + 0.58) m s ⁻¹ (1)	
= 5.50 / 5.74 kg m s ⁻¹ /N s (1)	3

Average force

Their above / 0.012 s (1)	
$F = 458/478$ N [e.c.f. Δp above] (1)	2

Value for force

Handle mass/weight/ head weight/force exerted by user (handle) neglected (1)	1
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Effectiveness of mallet with rubber head

Δt goes up/ Δp goes up (1)	
\Rightarrow less force, less effective/more force, more effective [consequent] (1)	2

[11]

7. (a) Newton's Second Law of Motion

(The) force (acting on a body) is proportional/equal to the rate of (1) change of momentum (1) and acts in the direction of the momentum change [accept symbols if all correctly defined for the first of these marks] [ignore any information that is given that is not contradictory]	2
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(i) Calculate the mass

Correct calculation for volume of air reaching tree per second

[Do not penalise unit error or omission of unit] (1)

Correct value for mass of air to at least 3 sig fig [246 kg. No ue.] (1)

[If $1.23 \times 10 \times 20 = 246$ kg is seen give both marks.

Any order for the numbers]

Example

$$20 \text{ ms}^{-1} \times 10 \text{ m}^2 = 200 \text{ m}^3$$

$$1.23 \text{ kg m}^{-3} \times 200 \text{ m}^3 = 246 \text{ kg}$$

(ii) Calculate the momentum

Answer: [$(246 \text{ kg} \times 20 \text{ m s}^{-1} =) 4920 \text{ kg m s}^{-1}$]

[Accept $(250 \text{ kg} \times 20 \text{ m s}^{-1} =) 5000 \text{ kg m s}^{-1}$. Accept 4900 kg m s^{-1} . (1) 2

Ecf value for mass. Ignore signs in front of values.]

(iii) Magnitude of the force

Answer: [$F = 4920 \text{ N}$ or 5000 N or 4900 N .]

[Ecf value from b(ii). Ignore signs in front of values] (1) 2

[6]

8. Definition of linear momentum:

Mass \times velocity [Words or defined symbols; NOT *ft*] (1) 1

Newton's second law:

Line 3 only (1) 1

Newton's third law:

Line 2 OR 1 & 2 (1) 1

Assumption:

No (net) external forces/no friction/drag (1)

In line 3 (he assumes the force exerted by the other trolley is the resultant force) [Only if 1st mark earned] (1) 2

Description of how it could be checked experimentally that momentum is conserved in a collision between two vehicles:

Suitable collision described and specific equipment to measure velocities [e.g. light gates] (1)

Measure velocities before and after collision (1)

How velocities calculated [e.g. how light gates used] (1)

Measure masses / use known masses/equal masses (1)

Calculate initial and final moment a and compare OR for equal trolleys in inelastic collision, then $v_1 = \frac{1}{2} v_2$ (1) Max 4

[9]

9. Calculation of resultant force:

$$[a = (v - u)/t = 16 \text{ m s}^{-1} / (4 \times 60) \text{ s}]$$

$$= 0.0666 \text{ m s}^{-2}$$

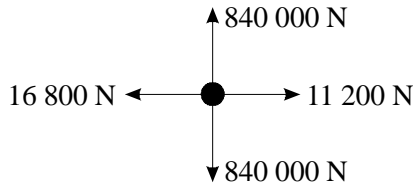
$$F = ma = 84\,000 \text{ kg} \times 0.0666 \text{ m s}^{-2} = 5600 \text{ N}]$$

OR

Use of $\frac{(v - u)}{t}$	use of $m v$	(1)	
Use of $F = ma$	use of $\frac{m v}{t}$	(1)	
5600 N	5600 N	(1)	3

Free-body force diagram:

Diagram [truck can be just a blob] showing:



823 200 – 840 000 N down		(1)	
same as down	up	(1)	
11 200 N	either way	(1)	
correct resultant	to left		
[e.c.f.]			

4

[Ignore friction. Each extra force –1]

Calculation of average power:

Power = KE gained/time = $\frac{1}{2}mv^2/t$	OR	KE = 3.84×10^8 J	(1)
= 3.84×10^8 J / (4×60) s			(1)
= 1.60×10^6 W [OR $J s^{-1}$]			(1)

3

Other credit-worthy responses:

$\frac{1}{2} m v^2$	Fv	$\frac{F d}{t}$	(1)
$\frac{1}{2} \times \frac{3 \times 10^6 \times 16^2}{240}$	$3 \times 10^6 \times 0.666 \times 8$	$\frac{3 \times 10^6 \times 0.666 \times 1920}{240}$	(1)
		[e.c.f. 0.666 and 1920 possible]	
1.6×10^6 W	1.6×10^6 W	1.6×10^6 W	(1)

3

Calculation of average current:

$P = IV = I \times 25\,000 \text{ V} = 1.60 \times 10^6 \text{ W}$	Use of $P = IV$	2
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[12]