| | Overstien Marke Ovidence | | | | | | |
|---|--------------------------|------|--|----------------------|--|--|--|
| Q | uesti | on | Answer | Marks | Guidance | | |
| 1 | (a) | | Kinetic energy is conserved (when molecule collides) / collision is elastic (so velocity after collision is $-v$) Momentum change = $mv - [-mv]$ = $2mv$ | M1 A1 A0 | Note: Kinetic and elastic , wherever used, to be spelled correctly Allow : $m[v-(-v)]$ or $-mv - mv$ Allow : A1 mark if M1 mark has been lost for incorrect spelling | | |
| | (b) | | Increase in temperature causes an increase in velocity / speed (of molecules) Collisions are more frequent (AW) Greater (rate of) change in momentum (in each collision with the surface) Hence force increases | B1 B1 B1 A0 | Note: No credit for references to pressure [NAQ] | | |
| | (c) | (i) | $\frac{p_2}{T_2} = \frac{p_1}{T_1}$ $p_2 = \frac{2.2 \times 10^5}{(273 + 18)} \times (273 + 54)$ $p_2 = 2.5 \times 10^5 (Pa)$ | C1 A1 | Note: Mark is for substitution; any subject No marks if temperatures are not converted to kelvin Answer to 3 sf is 2.47×10^5 (Pa) | | |
| | | (ii) | Original area $= \frac{W}{p_1} = \frac{1200 \times 9.8}{2.2 \times 10^5}$ (= 5.35×10 ⁻²) (m ²) Final area $= \frac{W}{p_2} = \frac{1200 \times 9.8}{2.47 \times 10^5}$ (= 4.77×10 ⁻²) (m ²) Change in area $= (5.35 - 4.77) \times 10^{-2} = 5.8 \times 10^{-3}$ (m ²) | C1 C1 A1 | Possible ecf from (c)(i) Allow: Full credit if 2 sf values are used eg 6.4×10^3 (m ²) using $p_2 = 2.5 \times 10^5$ | | |
| | | | Total | 10 | | | |

| Question | | ion | Α | nswer | Marks | Guidance |
|----------|-----|------|---|--|----------|---|
| 2 | (a) | (i) | For a fixed / constant mass of gas at con | stant temperature | B1 | |
| | | | Pressure is inversely proportional to volu | me / pressure x volume = constant | B1 | |
| | | (ii) | Axes labelled p and $1/V$ OR V and $1/p$ | | B1 | No ecf from a(i) Note: Only one tick |
| | (b) | (i)1 | $pV = nRT$ $n = \frac{pV}{RT} = \frac{1.2 \times 10^7 \times 0.05}{8.31 \times (273 + 21)}$ $n = 250$ | | C1 A1 | Allow: use of $pV = NkT$ leading to $N = 1.48 \times 10^{26}$ (C1) and $n = N/N_A$ giving $n = 250$ (A1) Mark is for substitution; any subject. No credit if 21°C is used giving $n = 3438$ |
| | | (i)2 | mass = <i>n</i> x 0.029 = 246 x 0.029 = 7.1 kg | mass = $n \ge 0.029 = 250 \ge 0.029$ = 7.3 kg | A1 | Possible ecf from (b)(i)1 Allow ecf if $n = 3438$ leads to mass = 99.7 kg |

| Question | Answer | | Guidance |
|------------|--|----------|---|
| 2 (b) (ii) | $n_{air \ added} = \frac{pV}{RT} = \frac{1.0 \times 10^5 \times 1.5}{8.31 \times (273 + 21)}$ $n_{air \ added} = 61.4$ | C1 | Possible ecf from (b)(i)1 or 2 Allow follow through for incorrect <i>n_{air added}</i> |
| | $n_{total} = n_{initial} + n_{air added} = 246 + 61.4 (= 307)$ | C1 | value Using $n = 250$ from b(i)1 leads to $n_{total} = 250 + 61.4$ (= 311) |
| | $p_{final} = n_{total} \left(\frac{RT}{V}\right) = 307 \times \left(\frac{8.31 \times (273 + 21)}{0.050}\right)$ $p_{final} = 1.5 \times 10^7 (Pa)$ | C1 A1 | Use of $T = 21^{\circ}$ C or $V = 1.55$ is wrong physics so can not score last two marks ALTERNATIVE METHOD Calculates pressure of air pumped in if it |
| | | | were to occupy a volume equal to cylinder $p_2 = \frac{1 \times 10^5 \times 1.5}{0.05}$ (C1) $p_2 = 3.0 \times 10^6$ (C1) When added to air already in cylinder |
| | | | $p_{final} = p_{original} + p_2$ $p_{final} = 1.2 \times 10^7 + 3.0 \times 10^6$ (C1) $p_{final} = 1.5 \times 10^7$ (Pa) (A1) |
| | | | SPECIAL CASES Using alternative method but with final volume taken as $1.5 \text{ m}^3 p_2 = 4.0 \times 10^5$ (Pa) and final pressure is 5.0×10^5 (Pa) Scores 2 marks . No credit if final volume taken as 1.55 m^3 |
| | Total | 10 | |

| Question | | on | Answer | | Guidance | |
|----------|-----|------|--|----------------------------|--|--|
| 3 | (a) | (i) | Energy required to raise the temperature of a unit mass of a substance by unit temperature rise. | B1 | Allow: $c = \frac{Q}{m\Delta\theta}$ with all symbols defined. | |
| | | (ii) | LH of fusion is energy needed to change (a substance) from <u>solid to liquid</u> LH of vaporisation is energy needed to change (a substance) from <u>liquid to</u> <u>gas/vapour</u> | B1 | Allow: a single reference to energy (either statement acceptable) | |
| | (b) | (i) | A to B: KE of molecules increases AND PE of molecules (small) increases B to C: KE of molecules remain constant AND PE of molecules increases | B1 B1 | | |
| | | (ii) | C _{solid} is less than C _{liquid} | B1 | | |
| | | | Correct reason Eg gradient for solid is greater than gradient for liquid AND gradient is inversely proportional to specific heat capacity (AW} | B1 | | |
| | (c) | (i) | $\frac{\text{In one second}}{\text{volume flowing through}} = (3.6 \times 10^{-3} / 60) = 6.0 \times 10^{-5} \\ \text{mass flowing through} = 6.0 \times 10^{-5} \times 1000 = (6.0 \times 10^{-2}) \\ \text{Energy gained by water } E = mc \Delta \theta = 0.060 \times 4200 \times (36.7 - 17.4) \\ (= 4864) \\ \text{Power of heater} = E / t = 4864 / 1 \\ \text{Power of heater} = 4.9 \times 10^{3} \\ \approx 5 \text{ kW} \\ \end{array}$ | C1 C1 C1 A1 A0 | Alternative In one minute volume flowing through = 3.6×10^{-3} mass flowing through = 3.6 (C1) Energy gained $E = mc \Delta \theta = 3.6 \times 4200 \times (36.7 - 17.4)$ (C1) $(= 2.92 \times 10^5 \text{ J})$ Power = $E / t = 2.92 \times 10^5 / 60$ (C1) Power of heater = 4.9×10^3 (A1) $\approx 5 \text{ kW}$ (A0) | |
| | | (ii) | EITHER rate of flow of water changes because water pressure changes OR Inlet temperature changes because ambient temperature changes | M1 A1 | | |
| | | | Total | 12 | | |

| Q | Question | | Answer | | Guidance |
|---|----------|-------|---|----|---|
| 4 | (a) | | Gas molecules move in random / erratic / haphazard motion (AW) : | B1 | Use tick or cross on Scoris random / erratic / haphazard must be spelled correctly to score the mark. |
| | (b) | (i) | constant temperature | B1 | |
| | | (ii) | $P_1 V_1 = P_2 V_2$ | | |
| | | | $350 \times 120 \times (A) = P_2 \times 55 \times (A)$ | C1 | |
| | | | $P_2 = \frac{350 \times 120}{55}$ | | |
| | | | = 760 (kPa) | A1 | Note: Answer to 3 sf is 764 (kPa) Note : 7.6 x 10 ⁵ (kPa) scores 1 mark |
| | | (iii) | When a molecule collides with the (moving) piston it rebounds with higher speed / ke / momentum | B1 | Must refer to collisions with piston or rebounds from piston not collisions within gas molecules. |
| | | | (Mean) kinetic energy of molecules is proportional / $\underline{\infty}$ to (Kelvin) temperature | B1 | Allow: $E_k = 3kT/2$ without definition of terms. |
| | | | Total | 6 | |

| 5 | Expected Answers | Mark | Additional guidance |
|----------|---|----------|--|
| (a)(i) | Latent heat of <u>fusion</u> . | B1 | QWC fusion spelled correctly ignore any reference to specific. |
| (a)(ii) | Latent heat of vaporisation. | B1 | QWC Vaporisation spelled correctly. Accept vaporization but not vapourisation. |
| (b)(i) | $E = mc\Delta\theta \text{ used correctly e.g. } 0.8 \times 4200 \times 82$ = 2.8 × 10 ^{5 (} J) (275520) | C1 A1 | 0.8 x 4200 x (82+273) scores zero |
| (b)(ii) | Any two from: Some heat/energy used to heat kettle Some heat/energy lost to surroundings/air/environment. Some heat/energy used to boil water before kettle switches off | B1 B1 | Do not allow "some heat lost" i.e. they must state where/how Do not allow "kettle if not 100% efficient". Do not allow "energy lost as sound/light" |
| (b)(iii) | 1 kWh = 1000 x 3600 = 3.6×10^6 J Wastage per year = ($2.8 \times 10^5 \times 365$) / 3.6×10^6 = 28 kWh (27.9) | C1 A1 | Allow 1 mark for energy lost per year = 1.02 x 10 ⁸ <u>Joules</u> Allow ecf from (b)(i) |
| | T | otal 8 | |