
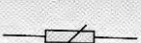


Question			Expected Answers	M	Additional Guidance
<b>1</b>					
	<b>a</b>	<b>i</b>	$V \quad J^{-1}$ $R \quad V^{-1}$ $P \quad J^{-1}$ $I \quad C^{-1}$	B1 B1 B1	4 correct 3 marks; 2 correct 2 marks 1 correct 1 mark
	<b>b</b>	<b>i</b>	using $V_{out} = R_2/(R_1 + R_2) V_{in}$ : <span style="float: right;"><b>alt:</b> <math>2.4 = I \times 560</math></span> $V_{out} = 3.6 \text{ V}$ <span style="float: right;">so <math>I = 4.3 \text{ mA}</math></span> $3.6 = R_2/(560 + R_2) 6$ <span style="float: right;"><math>3.6 = I R_2</math></span> <span style="float: right;"><math>R_2 = 840 (\Omega)</math></span>	C1 C1 A1	<b>accept</b> $R_2 = (3.6/2.4) \times 560$ or $2.4 = 560/(560 + R_2) 6$
		<b>ii</b>	$I = 4.3 \times 10^{-3} \text{ (A)}$	B1	<b>accept</b> 4.3 m(A) or 3/700 (A) <b>ecf (b)(i)</b> i.e. $I = 6/(560 + R_2)$
	<b>c</b>	<b>i</b>	$20 \pm 2 \text{ (}^\circ\text{C)}$	B1	
		<b>ii</b>	$R_{Th}$ will fall/ resistance will fall giving greater share of supply V across fixed R/AW  causing the voltage across (fixed) R/voltmeter reading to rise	B1 B1 B1	<b>accept</b> explanation in terms of potential divider equation <b>or</b> current increases <b>or</b> current same in both resistors/resistors in series
		<b>iii</b>	$\Delta R$ is large for small $\Delta T$ at low temperatures/AW in terms of gradient  so thermistor is better in circuit to control low temp, refrigerator	M2 A1	<b>accept</b> sensitivity greater at low temperature <b>or</b> vice versa <b>or</b> $\Delta R$ is small for small $\Delta T$ at high temperatures scores 1 out of 2
			<b>Total question 3</b>	<b>14</b>	

Question		Expected Answers	Marks	Additional Guidance
<b>2</b>				
	<b>a</b>	$\rho = RA/l$ with terms defined	M1 A1	full word definition gains both marks <b>allow</b> <i>A is area</i> as adequate; no unit cubes
	<b>b</b>	<b>i</b>	B1	max 1 mark for $38 \times 0.052 = 1.98$ with no further explanation <b>allow</b> with <b>either</b> and <b>or</b> <b>allow only</b> with <b>or</b>
		<b>ii</b>	B1	
		$A = \rho l/R = 2.6 \times 10^{-8} \times 1000/2.0$ $= 1.3 \times 10^{-5} \text{ (m}^2\text{)}$	C1 A1	<b>allow</b> 1 mark max. for $R = 0.052$ giving $A = 5.0 \times 10^{-4} \text{ (m}^2\text{)}$ <b>give</b> 1 mark max. for $1.3 \times 10^{-8} \text{ (m}^2\text{)}$
	<b>c</b>	<b>i</b>	C1 A1	$P = VI = 400 \times 10^3 \times 440$ $= 1.8 \times 10^8 \text{ (W)}$ or 180 M(W) <b>P = VI not adequate for first mark</b> <b>expect</b> 176
		<b>ii</b>	B1	$2000/176 = 11.4$ so 12 required <b>ecf(c)(i)</b> ; using 180 gives 11.1
		<b>iii</b>	C1 C1 A1	$P = I^2R$ $= 440^2 \times 0.052$ $= 1.0 \times 10^4 \text{ W (km}^{-1}\text{)}$ or 10 kW (km <sup>-1</sup> ) <b>accept</b> power/cable = $2000/12 = 167 \text{ MW}$ $I = 167\text{M}/400\text{k} = 417 \text{ A}$ $P = 417^2 \times 0.052 = 9.0(3) \text{ kW (km}^{-1}\text{)}$ <b>N.B.</b> answer mark includes consistent unit
		<b>iv</b>	C1 A1	power lost per cable = $10 \text{ k} \times 100 \times 12 = 12.0 \text{ MW}$ fraction remaining = $(2000 - 12)/2000 = 0.994 \times 100 = 0.994$ so 99.4% or power lost per strand = $10 \text{ k} \times 100 = 1.0 \text{ MW}$ fraction remaining = $(176 - 1)/176 = 0.994$ so 99.4% <b>ecf(c)(ii)(iii)</b> <b>allow</b> second mark for 'correct' answer as fraction not percentage with BOD sign <b>allow</b> 1 mark max. if give correct % lost given rather than % remaining <b>allow</b> 1 mark max. for $100 \times (2000 - 1)/2000 = 99.95\%$
		<b>Total question 2</b>	<b>14</b>	

Question		Expected Answers	Marks	Additional Guidance
<b>3</b>				
	<b>a</b>	resistors in series add to 20 $\Omega$ and current is 0.60 A so p.d. across XY is 0.60 x 12 (= 7.2 V)	B1 B1	<b>accept</b> potential divider stated <b>or</b> formula gives (12 /20) x 12 V (= 7.2 )V
	<b>b</b>	<b>i</b> the resistance <u>of the LDR</u> decreases (so total resistance in circuit decreases) and current increases	M1 A1	
		<b>ii</b> resistance of <u>LDR and 12 <math>\Omega</math></u> (in parallel)/ <u>across XY</u> decreases so has smaller share of supply p.d. (and p.d. across XY falls)	B1 B1	<b>alternative</b> I increases so p.d. across 8.0 $\Omega$ increases; so p.d. across <b>XY</b> falls
		<b>Total question 3</b>	<b>6</b>	

Question		Answer	M	Guidance	
<b>4</b>					
	<b>a</b>	 for R <sub>1</sub>  for R <sub>2</sub>	B1 B1		
	<b>b</b>	<b>i</b>	500 Ω	B1	<b>accept</b> ± 20 Ω
		<b>ii</b>	7.0 = I x 500; I 0.014 (A)	B1	<b>ecf b(i)</b>
		<b>iii</b>	5.0 = 0.014 x R or 12 = 0.014(500 + R) R = 360 Ω	M1 A1	<b>ecf b(i)(ii)</b> <b>allow</b> R = 500 x 5/7 = 360 Ω
		<b>iv</b>	(at 200°C) R <sub>th</sub> = 250 Ω V across thermistor = 12 x 250/(250 + 350) = 5.0 V <b>alt</b> 5.0 = 12 x R/(R + 350) <b>or</b> I = 7.0/350 = 0.02 A; V <sub>h</sub> = 5.0 = 0.02 x R R = 250 Ω which occurs at 200°C	B1 B1	<b>allow</b> R <sub>th</sub> = 250 ± 10 giving 4.8 to 5.1 V <b>expect</b> 350 or 360; <b>allow</b> 1 SF where answer is 5.0 <b>NOT</b> 250 x 0.02 = 5.0 V; 0.02 A must be justified <b>allow</b> 7.0 = 12 x 350/(350 + R)
	<b>c</b>		<b>switch on</b> 5.0 = 12 x 250/(250 + R) or 7.0 = 12 x R/(250 + R) giving R = 350 Ω which is 190°C <b>switch off</b> 7.0 = 12 x 250/(250 + R) or 5.0 = 12 x R/(250 + R) giving R = 180 Ω which is 210°C <b>or</b> Switch on, R <sub>2</sub> / R <sub>1</sub> = 7/5 giving R <sub>2</sub> - 250 x 7/5 = 350 ohm Switch off, R <sub>2</sub> / R <sub>1</sub> = 5/7 giving R <sub>2</sub> = 250 x 5/7 = 179 ohm	M1 A1 M1 A1	<b>accept</b> solution in 2 stages first calculating currents on I = 0.02 and R = 7/0.02 off I = 0.028 and R = 5/0.028 <b>allow</b> ± 5°C in reading from graph <b>N.B.</b> zero marks for correct temperatures quoted without some correct working/justification
		<b>Total question 2</b>		<b>12</b>	