

# Current & Resistance MS

**M1.** (a)  $R = \frac{\rho l}{A}$  (1)

$$= \frac{1.7 \times 10^{-8} \times 1.4}{7.8 \times 10^{-7}} = 0.031 \Omega \text{ (1) (0.0305 } \Omega)$$

2

(b) constant volume gives  $l_1 A_1 = l_2 A_2$

[or  $l_2 = 2l_1$  and  $A_2 = A_1/2$ ] (1)

$$R = \frac{\rho 2l}{A/2} = 4R \text{ (1)}$$

[or calculation with  $l_2 = 2.8$  (m) and  $A_2 = 3.9$  (m<sup>2</sup>) (1)]

gives  $R = 0.124 \Omega$  (1)

2

[4]

**M2.** (a) superconductivity means a material has zero resistivity/resistance (1)

resistivity decreases with temperature **or** idea of cooling (1)

becomes superconducting when you reach the critical/certain/  
transition temperature (1)

3

(b) (i) (use of  $R = \rho l/A$ )

$$0.075 = \rho \times 1 / (2.28 \times 10^{-7}) \text{ (1) (must see working or equation)}$$

$$R = 1.7 \times 10^{-8} \text{ (1) } \Omega\text{m (1)}$$

(ii) **max 3 from**

the resistance decreases (to zero) (1)

copper still has resistance (1)

but this is in parallel with filaments (which have zero resistance) (1)

hence **total** resistance is zero (1)

current goes through filaments (1)

6

[9]

**M3.** (a) (i) (use of  $R = \rho l/A$ )

$$R = 4.0 \times 10^{-3} \times 0.060 \text{ (1)} / (\pi \times 0.012^2) \text{ (1)}$$

$$R = 0.53 \text{ (}\Omega\text{)} \text{ (1)}$$

2 significant figures **(1)**

4

(ii) halving the diameter **will** increase resistance by factor of 4 or increasing the length by a factor of 4 will increase resistance by factor of 4 **(1)**

(hence) resistance will be 16 times greater **(1)**

2

- (b) the mark scheme for this part of the question includes an overall assessment for the Quality of Written Communication

circuit must include:

voltmeter and ammeter connected correctly **(1)**

power supply with means of varying current **(1)**

2

| QWC                                     | descriptor   | mark range |
|---|--|------------|
| good-excellent                          | <p>(i) Uses accurately appropriate grammar, spelling, punctuation and legibility.</p> <p>(ii) Uses the most appropriate form and style of writing to give an explanation or to present an argument in a well structured piece of extended writing. [may include bullet points and/or formulae or equations]</p> <p>An excellent candidate will have a working circuit diagram with correct description of measurements (including range of results) and processing. An excellent candidate uses a range of results and finds a mean value or uses a graphical method, eg <math>I</math>-<math>V</math> characteristics. They also mention precision eg use of vernier callipers.</p> | 5-6        |
| modest-adequate                         | <p>(i) Only a few errors.</p> <p>(ii) Some structure to answer, style acceptable, arguments or explanations partially supported by evidence or examples.</p> <p>An adequate candidate will have a working circuit and a description with only a few errors, eg do not consider precision. They have not taken a range of results and fail to realise that the diameter needs to be measured in several places.</p>   | 3-4        |
| poor-limited                            | <p>(i) Several significant errors.</p> <p>(ii) Answer lacking structure, arguments not supported by evidence and contains limited information.</p> <p>Several significant errors, eg important measurement missed, incorrect circuit, no awareness of how to calculate resistivity.</p>  | 1-2        |
| incorrect, inappropriate or no response |  | 0          |

The explanation expected in a good answer should include a coherent account of the procedure and include most of the following points.

- length with a ruler
- thickness/diameter with vernier callipers/micrometer
- measure voltage
- measure current
- calculate resistance
- use of graph, eg  $I$ - $V$  or resistance against length
- use of diameter to calculate cross-sectional area
- mention of precision, eg vernier callipers or full scale readings for  $V$  and  $I$
- flat metal electrodes at each end to improve connection

6

[14]

**M4.** (a)  $R = \frac{\rho l}{A}$  (1)

$\rho$  is resistivity,  $l$  is the length of the wire,  $A$  is the cross-sectional area (1)

2

(b) (i)  $P = \frac{V^2}{R}$  (1)

$$R = \frac{230^2}{500} = 106(\Omega)(1) \quad (105.8 \Omega)$$

$$l = \left( \frac{RA}{\rho} \right) = \frac{105.8 \times 8.0 \times 10^{-8}}{1.1 \times 10^{-6}} = 7.7 \text{ m (1)} \quad (7.69 \text{ m})$$

(allow C.E. for incorrect value of  $R$ )

- (ii) in series, voltage across each < 230 V or pd shared **(1)**  
 $\therefore$  power ( $= V^2/R$ ) is less than 500 W in each **(1)**  
 in parallel, voltage across each = 230 V **(1)**  
 $\therefore$  correct rating,  $\therefore$  conclusion **(1)**  
 [or, in series, high resistance or combined resistance **(1)**  
 $\therefore$  low current **(1)**  
 in parallel, resistance is lower,  $\therefore$  higher current **(1)**  
 more power, justified **(1)**]

max 6

[8]

**M5.** (a)  $\rho = \frac{RA}{l}$  **(1)**

$R$  = resistance (of wire),  $A$  = **cross-sectional** area,  
 $l$  = length (of wire) **(1)**

2

(b) (i)  $R = \frac{\rho l}{A} = \frac{4.0 \times 10^{-8} \times 30 \times 10^{-3}}{8 \times 10^{-3} \times 2 \times 10^{-6}}$  **(1)**  
 $= 75 \Omega$  **(1)**

- (ii) length has decreased causing resistance to decrease **(1)**  
 area increased, causing resistance to decrease **(1)**  
 each changed by factor of  $1.5 \times 10^3$  **(1)**

4  
 QWC 1

[6]

**M6.** (i)  $I = \frac{\Delta Q}{\Delta t}$  [or  $Q = It$ ] **(1)**

$Q = 40 \times 10^{-3} \times 3 \times 60 = 7.2 \text{ C}$  **(1)**

(ii) number of electrons =  $\frac{7.2}{1.6 \times 10^{-19}} = 4.5 \times 10^{19}$  **(1)**

(allow C.E. for value of  $Q$  from (i))

(iii)  $V = \frac{W}{Q}$  (1)

$$= \frac{8.6}{7.2} = 1.2 \text{ V}$$

(allow C.E. for value of Q from (i))

(iv) (use of  $V = IR$  gives)  $R = \frac{1.2}{40 \times 10^{-3}} = 30 \Omega$  (1)

(allow C.E. for value of V from (iii))

[6]

M7. (a)  $I = \frac{\Delta Q}{\Delta t}$  (or  $I = \frac{Q}{t}$ ) (1)

$$\Delta Q = 0.25 \times 6 \times 60 = 90 \text{ C (1)}$$

2

(b) (i)  $V = \frac{W}{Q}$  (1) [or  $E = VI$ ]

$$= \frac{9.0 \times 10^4}{0.25 \times 20 \times 60 \times 60} = 5.0 \text{ V (1)}$$

(ii) (use of  $P = \frac{W}{t}$  gives)  $P = \frac{9.0 \times 10^4}{20 \times 60 \times 60} = 1.2(5) \text{ W (1)}$

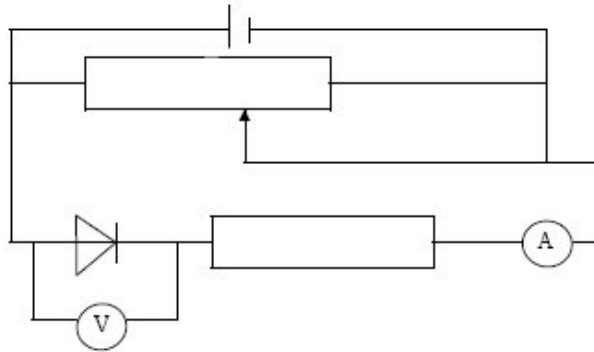
[or  $P = IV$  gives  $P = 0.25 \times 5 = 1.2(5) \text{ W}$ ]

(allow C.E. in alternative method for value of V from (i))

3

[5]

M8. (a) (i)



suitable variable input (variable power supply or variable resistor) **(1)**

protective resistor **and** diode **forward** biased **(1)**

correct current **and** pd measuring devices **(1)**

3

(ii) the mark scheme for this part of the question includes an overall assessment for the Quality of Written Communication

| QWC                                     | descriptor  | mark range |
|---|---|------------|
| good-excellent                          | Uses accurately appropriate grammar, spelling, punctuation and legibility.<br>Uses the most appropriate form and style of writing to give an explanation or to present an argument in a well structured piece of extended writing.<br>[May include bullet points and/or formulae or equations].<br>Answer refers to at least 5 of the relevant points listed below. | 5-6        |
| modest-adequate                         | Only a few errors.<br>Some structure to answer, style acceptable, arguments or explanations partially supported by evidence or examples.<br>Answer refers to at least 3 or the relevant points listed below.  | 3-4        |
| poor-limited                            | Several significant errors.<br>Answer lacking structure, arguments not supported by evidence and contains limited information.<br>Answer refers to no more than 2 of the relevant points.   | 1-2        |
| incorrect, inappropriate or no response | No answer at all or answer refers to unrelated, incorrect or inappropriate physics.   | 0          |

**The explanation expected in a competent answer should include a coherent selection of the following physics ideas.**

connect circuit up **(1)**

measure current ( $I$ ) and pd/voltage ( $V$ ) **(1)**

vary resistance/voltage **(1)**

obtain a range of results **(1)**

reverse connections to power supply (and repeat) **(1)**

plot a graph (of pd against current) **(1)**

mention of significance of 0.6V **or** disconnect between readings **or** change range on meters when doing reverse bias **(1)**

(b) (i) (use of  $I = V/R$ )

$$I = 12/8 \text{ (1)} = 1.5\text{A (1)}$$

(ii)  $I = (12 - 0.65 \text{ (1)})/4 = 2.8 \text{ A (1)}$  sig figs **(1)**

5

[14]

**M9.** (a) reverse mode: current zero or just negative at 50 -500 V **(1)**  
sharp downward curve **(1)**

forward mode: current zero or just positive up to  $\approx 0.7 \text{ V (1)}$   
**rapid** increase of for small increase in  $V$  **(1)**

4

(b) at low  $V$ ,  $I$  increases proportionally (or Ohm's law obeyed) **(1)**  
(as  $V$  increases) greater  $I$  heats filament/wire  
(or temp of filament/wire increases) **(1)**  
resistance increases **(1)**  
rate of increase of  $I$  with  $V$  decreases [or ref. to gradient =  $1/R$ ] **(1)**  
reference to same form of the curve in negative quadrant **(1)**

4

[8]



- M10.** (a) (i) battery, milliammeter, and wire in series **(1)** **(1)**  
 voltmeter across the wire **(1)**  
 variable resistor/potential divider in series **(1)**

- (ii) alter variable resistor **(1)**  
 to obtain a series of values of  $I$  and  $V$  **(1)**

QWC 1

- (iii) plot a graph of  $V$  against  $I$  **(1)**  
 gradient =  $R$  **(1)**

QWC 1

[or calculate  $R = V/I$  for each reading and take mean]

8

(b) (i) ( $P = \frac{V^2}{R}$  gives)  $1200 = \frac{230^2}{R}$   
 $R = 44.1 \Omega$  **(1)**

(ii)  $R = \frac{\rho l}{A}$  **(1)**

$$l = \frac{44.1 \times 9.4 \times 10^{-8}}{1.1 \times 10^{-6}} \quad \mathbf{(1)}$$

$$= 3.8 \text{ m} \quad \mathbf{(1)}$$

(allow C.E. for value of  $R$  in (i))

5

[13]

**M11.** (a)  $R = \frac{\rho l}{A}$  **(1)**

$$= \frac{1.7 \times 10^{-8} \times 1.4}{7.8 \times 10^{-7}} = 0.031 \Omega \quad \mathbf{(1)} \quad (0.0305 \Omega)$$

2

(b) constant volume gives  $l_1 A_1 = l_2 A_2$

[or  $l_2 = 2l_1$  and  $A_2 = A_1/2$ ] **(1)**

$$R = \frac{\rho 2l}{A/2} = 4R \text{ (1)}$$

[or calculation with  $l_2 = 2.8$  (m) and  $A_2 = 3.9$  (m<sup>2</sup>) **(1)**]

gives  $R = 0.124 \Omega$  **(1)**

2

[4]