

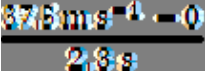
Question Number	Answer	Mark
<b>1(a)(i)</b>	Use of $F \cos 42^\circ$ or $F \sin 48^\circ$ (1) Horizontal component = 480 (N) (1)  <u>Example of calculation</u> Horizontal component = $650 \text{ N} \times \cos 42^\circ$ = 483 (N)	<b>2</b>
<b>1(a)(ii)</b>	Use of $\Delta W = F\Delta s$ (1) Work = 51 000 J (1)  <u>Example of calculation</u> Work = $483 \text{ N} \times 15 \times 7 \text{ m}$ = 50 715 J	<b>2</b>
<b>1(b)</b>	Force in the direction of motion <b>Or</b> Force is parallel to the direction of motion <b>Or</b> Force is applied in a horizontal direction <b>Or</b> There is no vertical component of force (1)  So less applied force (1)	<b>2</b>
	<b>Total for question</b>	<b>6</b>

Question Number	Answer	Mark
2(a)	<p>Wind exerts a force/push(on the blades) (1)</p> <p>blades move (through a distance in the direction of the force) (1)</p> <p><b>Or</b></p> <p>Energy is transferred (1)</p> <p>From kinetic energy of wind to (KE of ) the blades (1)</p>	2
2(b)(i)	<p>Use of volume = area x length (1)</p> <p>Volume = 270 000 (m<sup>3</sup>) (1)</p> <p><u>Example of calculation</u></p> <p>Volume per second = 6 000 m<sup>2</sup> × 9 m = 54 000 m<sup>3</sup></p> <p>Total volume in 5 seconds = 54 000 m<sup>3</sup> × 5 s = 270 000 (m<sup>3</sup>)</p>	2
2(b)(ii)	<p>Use of mass = density x volume (1)</p> <p>Mass = 324 000 kg (ecf) (1)</p> <p><u>Example of calculation</u></p> <p>Mass = 1.2 kg m<sup>-3</sup> × 270 000 m<sup>3</sup> = 324 000 kg</p>	2
2(b)(iii)	<p>Use of <math>E_k = 1/2 mv^2</math> (1)</p> <p><math>E_k = 1.3 \times 10^7</math> J (ecf) (1)</p> <p><u>Example of calculation</u></p> <p><math>E_k = 1/2 \times 324\,000 \text{ kg} \times (9 \text{ m s}^{-1})^2 = 13\,122\,000 \text{ J}</math></p>	2
2(b)(iv)	<p><b>Use of either</b></p> <p>Energy from wind over 5 second period = 59 % x <math>E_k</math></p> <p><b>Or</b></p> <p>KE divided by 5(s) (1)</p> <p>Power = 1.5 MW (1)</p> <p>[Range of correct answers 1.5 MW to 1.8MW]</p> <p><u>Example of calculation</u></p> <p>Energy from the wind in 5 seconds = 0.59 × 13 100 000 J = 7 741 980 J</p> <p>Power = energy/second = 7 741 980 J/5 s = 1.548 MW</p>	2
2(c)	<p>Would need to stop wind entirely/Wind or air still moving/Wind or air still has KE/Not all the air hits the blades (1)</p>	1
2(d)	<p><b>Max 2</b></p> <ul style="list-style-type: none"> <li>• Wind doesn't always blow/if there is no wind they don't work/ wind speeds are variable/ need minimum amount of wind to generate the electricity/need a large amount of wind/can't be used in very high winds (1)</li> <li>• Only 59 % max efficiency (1)</li> <li>• Low power output/Need a lot of turbines/ Need a lot of space (1)</li> </ul>	2
	<b>Total for question</b>	<b>13</b>

Question Number	Answer	Mark
<b>3 (a)</b>	<p>Show that the work done by the horse in turning the wheel once was about 20 000 J.</p> <p>Use of distance = <math>2 \pi r</math> <b>(1)</b>            Use of work = force x distance <b>(1)</b>            Correct answer (19 000 (J) to at least 2 sf) <b>(1) [no ue]</b>            (If force x 3.7 m used, allow second mark only)            (If force x distance for 144 turns used, allow 1<sup>st</sup> and 2<sup>nd</sup> marks)</p> <p><i>Example of calculation</i></p> $x = 2 \times \pi \times 3.7 \text{ m} = 23.2 \text{ m}$ $W = F\Delta x$ $= 800 \text{ N} \times 23.2 \text{ m}$ $= 18\,600 \text{ J}$ <p>(‘Reverse show that’ starting from 20 000J – max 2)</p>	<b>(3)</b>
<b>3 (b)</b>	<p>Calculate the average power of the horse</p> <p>Recall power is rate at which work is done (accept formula or substituted values) <b>(1)</b>            Substitute for 144 turns <b>(1)</b>            Correct answer (740 W) <b>(1)</b></p> <p>If using <math>P = Fv</math>:            Recall <math>P = Fv</math> <b>(1)</b>            Use of <math>v = s/t</math> for 144 turns <b>(1)</b>            Correct answer <b>(1)</b></p> <p><i>Example of calculation</i></p> $\text{Power} = \text{work done} / \text{time}$ $= 144 \times 18\,600 \text{ J} / 60 \times 60 \text{ s}$ $= 744 \text{ W (accept any dimensionally correct unit – ignore later units if W used as well)}$ <p>(use of 20 000 J gives 800 W)</p>	<b>(3)</b>
	<b>Total for question</b>	<b>6</b>

Question Number	Answer	Mark
4(a)	Calculate maximum energy  Use of $gpe = mgh$ (1) Correct answer (0.28 J) (1)  <i>Example of calculation</i> $gpe = mgh$ $= 0.41 \text{ kg} \times 9.81 \text{ N kg}^{-1} \times 0.07 \text{ m}$ $= 0.28 \text{ J}$ [N.B. Bald answer gets 2, but no marks if derived from use of $v^2 = u^2 + 2as$ ]	(2)
4(b)	Resolve this velocity into horizontal and vertical components.  Shows a correct, relevant trigonometrical relationship (1) Correct answer for horizontal component ( $12 \text{ m s}^{-1}$ ) (1) Correct answer for vertical component ( $10 \text{ m s}^{-1}$ ) (1) (max 1 mark total for reversed answers) (apply ue once only)  <i>Example of calculation</i> $v_h = v \cos \theta$ $= 16 \text{ m s}^{-1} \times \cos 40^\circ$ $= 12.3 \text{ m s}^{-1}$  $v_v = v \sin \theta$ $= 16 \text{ m s}^{-1} \times \sin 40^\circ$ $= 10.3 \text{ m s}^{-1}$	(3)
4(c)	Explain another reason why the projectile does not go as far as expected.  (QWC – Work must be clear and organised in a logical manner using technical wording where appropriate)  Max 2 out of three marking points for:  A physical cause – e.g. other parts of the machine are moving/the sling stretches/headwind/fired up a slope/the projectile increases in height before release (1)  Description of <b>energy</b> elsewhere than the projectile – e.g. elastic energy in sling/moving parts have ke / projectile has gained gpe before launch [Must refer to energy] (1)  Stating that less energy has been transferred to the projectile/projectile has a lower speed (1)	(max 2)
	<b>Total for question</b>	<b>7</b>

Question Number	Answer	Mark
5(a)	<p>Calculate the resistive forces</p> <p>State component of <math>T = T \cos \theta</math> (1)            Correct answer [1120 N] (1)</p> <p><b>Example of calculation</b>  <math>T = T \cos \theta</math>  <math>= 1150 \text{ N} \times \cos 12^\circ</math>  <math>= 1125 \text{ N}</math>            Therefore resistive forces = 1125 N</p>	2
5(b)	<p>Calculate the work done on the boat by the horse</p> <p>Use of <math>\Delta W = F\Delta s</math> (1)            Correct answer [558 000 J] (1) [ecf]</p> <p><b>Example of calculation</b>  <math>\Delta W = F\Delta s</math>  <math>= 1125 \text{ N} \times 500 \text{ m}</math>  <math>= 560 000 \text{ J}</math></p>	2
5(c)	<p>Explain using a longer rope</p> <p>Longer rope <math>\rightarrow</math> smaller angle (1)            cos theta then larger / need smaller force (for same component acting on boat) (1)</p>	2
	<b>Total for question</b>	<b>6</b>

Question Number		Mark
6(a) (i)	Use of equation of motion suitable for a, e.g. $v = u + at$ (1)	2
	$a = 16.3 \text{ m s}^{-2}$ (2.1 $\times 10^5 \text{ km h}^{-2}$ or 58.7 $\text{km h}^{-1} \text{ s}^{-1}$ ) (1)	
	<u>Example of calculation</u>  $a = 16.3 \text{ m s}^{-2}$	
6(a) (ii)	Use of $E_k = \frac{1}{2} mv^2$ (1)	3
	Use of $P = E/t$ (1)	
	Power = $3.1 \times 10^6 \text{ W}$ (1)  <b>Or</b>  Use of $F = ma$ (must be $a$ from (i)) <b>and</b> Use of equation to find distance <b>and</b> use of work done = $Fd$ (1) Use of $P = E/t$ (1) Power = $3.1 \times 10^6 \text{ W}$ (1) (distance = 43 m)	
	<u>Examples of calculations</u> $E_k = \frac{1}{2} \times 10\,000 \text{ kg} \times (37.5 \text{ m s}^{-1})^2 = 7.03 \times 10^6 \text{ J}$ Power = $7.03 \times 10^6 \text{ J} / 2.3 \text{ s} = 3.1 \times 10^6 \text{ W}$	
6(a) (iii)	Energy transferred by heating <b>Or</b> energy transferred due to friction <b>Or</b> work done against friction <b>Or</b> idea that more energy required (due to energy transfer) due to friction. (1)	1
	(do not accept 'lost' but accept air resistance as an alternative to friction)	
*6(b)	(QWC – Work must be clear and organised in a logical manner using technical wording where appropriate)	
	larger force is needed <b>Or</b> the (same) force is insufficient (1)	
	need same acceleration/ (max) velocity <b>OR</b> acceleration/(max) velocity is too small (1)	
	more energy needed (to reach top) <b>Or</b> insufficient energy (to reach top) (1)	3
6 (c)	Viscosity of oil decreases (with increasing temperature) <b>Or</b> the (warm) oil is less viscous (1) (accept a reverse argument e.g. when cold oil is more viscous)	
	Lower frictional/resistive force <b>Or</b> less viscous drag (1)	2
	<b>Total for question</b>	<b>11</b>

Question Number	Answer	Mark
7(a)	<p>Static domino now has an unbalanced force acting on it so starts to move/fall <b>Or</b> falls from rest <b>Or</b> accelerates</p> <p><b>Or</b> Before it is hit, the static domino has no unbalanced force on it (so) remains at rest</p>	<p>(1) (1)</p> <p>(1) (1)</p> <p><b>2</b></p>
*7(b)	<p><b>(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)</b></p> <p><u>The bottom coin is knocked out from under the stack</u> Only the bottom coin is given a force <b>Or</b> bottom coin has an unbalanced force on it Bottom coin starts to move <b>Or</b> accelerates</p> <p><u>The flicked coin stops</u> Stacked/bottom coin gives the flicked coin a force <b>Or</b> force on flicked coin due to N3. The resultant force on the flicked coin is opposite to the direction of motion <b>Or</b> the flicked coin decelerates</p> <p><u>The stack drops down</u> The remaining stacked coins do not receive any horizontal force (so stay still horizontally) The stacked coins now have an unbalanced vertical force (and drop) <b>Or</b> there is now only weight acting (vertically)</p>	<p>(1) (1)</p> <p>(1) (1)</p> <p>(1) (1)</p> <p>(1) (1)</p> <p><b>6</b></p>
7(c)	<p>The idea that the direction of the (force of the flicked) coin on the stack is in a different direction (to initial direction of travel)</p> <p>The idea that the force from stack on (flicked) coin is in a different direction (to initial direction of travel) (Accept a labelled diagram indicating an off-centre collision)</p>	<p>(1)</p> <p>(1)</p> <p><b>2</b></p>
	<b>Total for question</b>	<b>10</b>