## Impulse and Momentum - Mark Scheme

Q1.

Question number	Answer		Mark
(a)	<ul> <li>Use of E<sub>el</sub> = ½FΔx</li> <li>W = 0.12 (J)</li> </ul>	(1) (1)	
	Example of calculation $W = 0.5 \times 14 \text{ N} \times 0.017 \text{ m}$ W = 0.119  J		
(b)	<ul> <li>Use of E<sub>grav</sub> = mgh</li> <li>Use of elastic potential energy = ½ mv²</li> <li>Or Use of grav potential energy = ½ mv²</li> <li>v<sub>head</sub> = 6.1 (m s<sup>-1</sup>) Or v<sub>toy</sub> = 5.4 (m s<sup>-1</sup>) (ecf from (a))</li> <li>Use of p = mv</li> <li>P<sub>head</sub> = 0.039 (kg m s<sup>-1</sup>) and p<sub>toy</sub> = 0.039 (kg m s<sup>-1</sup>) and conclusion that momentum is conserved</li> <li>Or</li> </ul>	(1) (1) (1) (1)	(2)
	$P_{\rm head} = 0.039 \; ({\rm kg \; m \; s^{-1}}) \; {\rm and} \; p_{\rm toy} = (0.039 \; {\rm kg \; m \; s^{-1}}) \; {\rm and} \; conclusion \; {\rm that} \; {\rm momentum} \; {\rm before} = {\rm momentum} \; {\rm after}$ $\frac{{\rm Example \; of \; calculation}}{{\rm For \; head, \; max \; ke} = E_{el} \; {\rm of \; spring}} \; \frac{1}{2} \times 0.0064 \; {\rm kg} \times v^2 = 0.119 \; {\rm J} \; {\rm max \; speed \; of \; head} = 6.10 \; {\rm m \; s^{-1}} \; {\rm max \; momentum \; of \; head} = 0.0064 \; {\rm kg} \times 6.1 \; {\rm m \; s^{-1}} \; {\rm max \; momentum \; of \; head} = 0.0064 \; {\rm kg} \times 6.1 \; {\rm m \; s^{-1}} \; {\rm p_{head}} = 0.039 \; {\rm kg \; m \; s^{-1}} \; {\rm E_{grav}} = 0.0072 \; {\rm kg} \times 9.81 \; {\rm N \; kg^{-1}} \times 1.5 \; {\rm m} = 0.106 \; {\rm J} \; {\rm For \; whole \; toy, \; initial \; ke} = 0.106 \; {\rm J} \; {\rm For \; whole \; toy, \; initial \; v = 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initial \; momentum} = 0.0072 \; {\rm kg} \times 5.42 \; {\rm m \; s^{-1}} \; {\rm For \; whole \; toy, \; initia$	(1)	
	$= 0.039 \text{ kg m s}^{-1}$		(5)
(c)	<ul> <li>Calculate E<sub>K</sub> values or identify from part (a) and (b) (0.12 J before and 0.11 J after) (ecf)</li> <li>Conclude (kinetic energy is) not conserved because energy before is greater than energy after (accept a conclusion consistent with their answers)</li> </ul>	(1) (1)	
	Example of calculation Head ke = $\frac{1}{2} \times 0.0064 \text{ kg} \times (6.1 \text{ m s}^{-1})^2 = 0.119 \text{ J}$ Whole toy ke = $\frac{1}{2} \times 0.0072 \text{ kg} \times (5.42 \text{ m s}^{-1})^2 = 0.106 \text{ J}$		(2)

Q2.

Question number	Answer	Mark
	В	(1)