

# AQA Physics A-level

## Topic 1: Measurements and Their Errors

### Key Points



# SI Base Units

The **base units** are the set of seven units of measure from which all other SI units can be derived. The ones you need to know are:

- Mass: Kilogram (kg)
- Length: Metre (m)
- Time: Second (s)
- Current: Amps (A)
- Temperature: Kelvin (K)
- Amount of Substance: Mole (mol)

All other units can be expressed in terms of the base units. For example:

$$1 \text{ J} = 1 \text{ kgm}^2\text{s}^{-2}$$

$$1 \text{ V} = 1 \text{ kgm}^2\text{s}^{-3}\text{A}^{-1}$$



# Unit Prefixes

**Unit prefixes** should be used when stating values to avoid the use of large amounts of noughts and standard form. You need to know the following prefixes:

T, tera:  $10^{12}$   
G, giga:  $10^9$   
M, mega:  $10^6$   
k, kilo:  $10^3$   
c, centi:  $10^{-2}$

m, milli:  $10^{-3}$   
 $\mu$ , micro:  $10^{-6}$   
n, nano:  $10^{-9}$   
p, pico:  $10^{-12}$   
f, femto:  $10^{-15}$

You can convert between prefixes and standard form. For example:

$$620 \text{ nm} = 620 \times 10^{-9} \text{ m} = 6.20 \times 10^{-7} \text{ m}$$



# Significant Figures

Your **Calculated quantities** should be given to the same number of significant figures as the value with the **least** number of significant figures used in the calculation.

In **tables**, data should be written to the same number of significant figures. However, when crossing multiples of 10, the same number of decimal places should be used to avoid changing the **accuracy**.

The number of decimal places of the **logarithm** of a value should be the same as the number of significant figures as the value. For example,  $\ln(60)$  should be quoted as 4.09



# Experimental Key Terms

**Random error:** Measurements vary due to unpredictable circumstances. They cannot be corrected and can only be mitigated by making more measurements and calculating a new mean.

**Systematic error:** Measurements differ from the true value by a consistent amount each time. They can be corrected by using a different technique to take measurements.

**Precision:** How close measurements are to each other and the mean.

**Accuracy:** How close a measurement is to the true value.

**Repeatable:** When the original experimenter repeats the investigation using the same method and equipment and obtains the same results.

**Reproducible:** When somebody else repeats the investigation or the investigation is performed using different equipment or techniques and the same results are obtained.

**Resolution:** The smallest change in a quantity being measured that gives a perceptible change in the reading.



# Finding Uncertainties

The uncertainty of a result is the interval within which the true value can be expected to lie.

The **absolute uncertainty** of a reading is no smaller than plus or minus half of the smallest division. The absolute uncertainty of a measurement, where two judgements are required (e.g. measuring a length using a ruler), is twice this. For multiple readings, the absolute uncertainty is half the range. Absolute uncertainties have the same units as the quantity.

The **fractional uncertainty** is the absolute uncertainty divided by the measured value (if multiple readings, divided by the mean). The **percentage uncertainty** is the fractional uncertainty multiplied by one hundred. Fractional and percentage uncertainties have no units.



# Combining Uncertainties

When adding or subtracting data with uncertainties, add the **absolute uncertainties**.

When multiplying or dividing data with uncertainties, add the **percentage uncertainties**.

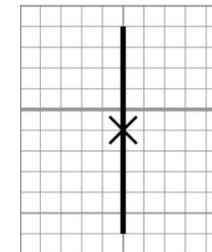
When raising data with an uncertainty to a power, multiply the **percentage uncertainty** by that power.

When multiplying data with an uncertainty by a constant, multiply the **absolute uncertainty** by that constant but **not the percentage uncertainty**.



# Uncertainties in Graphs

The uncertainty in a data point on a graph can be represented using error bars.



Two lines of best fit should be drawn on the graph. The '**best**' line of best fit, which passes as close to the points as possible, and the '**worst**' line of best fit, either the **steepest** possible or the **shallowest** possible line which fits within all the error bars. The **percentage uncertainty** in the gradient and y-intercept can be found from the equations below:

$$\text{Percentage Uncertainty} = \frac{|\text{Best Gradient} - \text{Worst Gradient}|}{\text{Best Gradient}} \times 100 \%$$

$$\text{Percentage Uncertainty} = \frac{|\text{Best Y-Intercept} - \text{Worst Y-Intercept}|}{\text{Best Y-Intercept}} \times 100 \%$$



# Estimation of Physical Quantities

You can **estimate** the order of magnitude of physical quantities. Examples include:

Radius of proton:  $10^{-15}$  m

Radius of atom:  $10^{-10}$  m

Height of human:  $10^0$  m

Radius of earth:  $10^7$  m

