1(a). The value of a car  $\pounds V$  is given by

$$V = 20\ 000 \times 0.9^t$$
  
where *t* is the age of the car in complete years.  
Write down the value of *V* when *t* = 0.  
(a) £\_\_\_\_\_ [1]  
(b). What is the value of *V* when *t* = 3?  
(b) £\_\_\_\_\_ [2]

(c). After how many complete years will the car's value drop below £10 000?

••••••

(c) \_\_\_\_\_ [2]

1 of 12



2(a). A shop sold goods worth a total of £50 000 in January.

The value of goods sold in February was 10% lower than in January.

Calculate the value of goods sold in February.

(a) £ \_\_\_\_\_ [2]



(b). Each month, the value of goods sold continued to be 10% lower than the previous month. When the value of goods sold was less than £35 000, the shop closed at the end of that month.

Show that the store closed at the end of May. You must show your working.



- The value of goods sold in the second month is 20% more than the first month.
- The value of goods sold in the third month is 10% less than the second month.

Find the percentage increase in the total value of goods sold from the first month to the third month.

(c) \_\_\_\_\_ % [5]

3(a). Here are the interest rates for two accounts.

Account A
Interest: 3% per year compound interest.
No withdrawals until the end of three years.

Interest: 4% for the first year, 3% for the second year and 2% for the third year.

Withdrawals allowed at any time.

Derrick has £10 000 he wants to invest.

Calculate which account would give him most money if he invests his money for 3 years. Give the difference in the interest to the nearest penny.

(a) Account \_\_\_\_\_ by \_\_\_\_\_ p [5]

(b). Explain why he might not want to use Account A.

\_\_\_\_\_\_[1]

 At the start of 2014 Priya's house was worth £240 000. The value of her house increased by 5% every year.

Work out the value of her house at the start of 2017.

£\_\_\_\_\_[3]



Work out the value of the investment after 3 years.

£\_\_\_\_\_[3]

[4]

## 6. Luka invests £1500.

At the end of the first year, 2% interest is added. At the end of the second year, after interest has been added, the investment is worth £1606.50.

Show that 5% interest has been added at the end of the second year.

## END OF QUESTION PAPER

Question		n	Answer/Indicative content	Marks	Part marks and guidance		
1	а		£20 000	1			
	b		£14 580 or £14 600	2	<b>M1</b> for 20 000 × 0.9 <sup>3</sup>		
	с		7 years	2	M1 for 2 trials shown		
			Total	5			
2	а		45 000	2	<b>M1</b> for 50 000 × 0.9 <b>soi</b> or 50 000 – 5000		
	b		Total value of goods sold in May was £32 805, which is less than £35 000	3	M2 for 50 000 (or 45 000) × 0.9 used three times (or two times) soi or decreasing by 10% three times Or M1 for 45 000 × 0.9 or 45 000 – 4500	Implied by 36 450 and 32 805 Implied by 40 500	
	С		8	5	M2 for 100 000 × 1.2 × 0.9 Or M1 for 100 000 × 1.2 oe M1 for <i>their</i> '120 000' × 0.9 oe And A1 for 108 000 M1 for <u>their '108 000' - 100 000</u> 100 000 × 100 × 100		
			Total	10			
3	а		(Account) A (by) 103[p]	5	B2 for 10 927.27 and B2 for 10 926.24 or B1 for 10 400 or 10 712 If zero scored M1 for 1.03 <sup>3</sup> oe used M1 for 1.04, 1.03 and 1.02 used oe		
	b		He may not want to leave it there for 3 years	1	Accept any valid reason		
			Total	6			

Question		n	Answer/Indicative content	Marks	Part marks and guidance		
4			277 830	3	M2 for 240000 × 1.05 <sup>3</sup> or         M1 for 240000 ×         1.05 <sup>2</sup> soi by         or         264600         If 0 scored         SC1 for 291721[.5]         or         291722         Examiner's Comments         Many candidates scored the full 3 marks on this question, but a large number failed to score at all. A common error was to use simple interest, leading to £276000. Others failed to progress further than one year. It was rare to see the efficient method 240 000 × 1.05 <sup>3</sup> used; a large number made separate calculations one year at a time and while they were often successfully, these were much more likely to have an arithmetic error somewhere. Many used non-calculator methods, usually incurring errors.		
			Total	3			

Question		n	Answer/Indicative content	Marks	Part marks and guidance		
					8400 was sometimes multiplied by 1.12 and sometimes divided by 12. Non-calculator methods (breaking down 12%) were usually unsuccessful.		
			Total	3			

Question		n	Answer/Indicative content	Marks	Part marks and guidance			
6			1500 × 2 ÷ 100 oe	M1	Follow method if <b>calculations</b> seen Allow 1500 × [0].02	Mark by ONE method only 1500 × 1.02 =		
			1500 + 30 = 1530	BZ	- / /	scores M1 B2		
					B1 for 30 or 1530 (no addition shown)	30 or 1530 (no working)		
			1530 × 1.05 oe leading to 1606.5[0]	M1	or (1606.50	scores M0B1		
			OR		1530)÷153 0 × 100 [= 5] or 76.50 ÷ 1530 × 100 [= 5]	May be seen in stages Non- calculator method must be complete to		
			Alternative marking 2% of 1500 = 30 1500 + 30 = 1530 5% of 1530 = 76.5[0] 1530 + 76.5[0] = 1606.5[0]	B1 B1 B1 B1	Follow method if <b>explanation</b> seen	score M1 $1\% \rightarrow 1530$ ÷ 100 = 15.3 $5\% \rightarrow 15.3$ × 5 = 76.5 1530 + 76.5 [= 1606.5]		
					Examiner's Co	omments		
					This question reasonably we However, few used efficient calculate perc final values. M percentages u calculator" me found 5% of 1 than the 1530 the first year.	was ell answered. candidates methods to entages and lany found using "non- thods. Some 500 rather at the end of		

Question		n	Answer/Indicative content	Marks	Part marks and guidance		
					understand how to calculate percentage with a calculator. Most candidates did not understand that "Show that" means "Give the calculations that lead to" and embarked on an explanation which was sometimes well structured. Candidates were allowed to annotate some working to show that the final value was achieved. Many candidates gained 2 or more marks.		
			Total	4			