Foundation	Unit	11	tonic	tost	<b> </b>

# Date:

Time: 50 minutes

Total marks available: 46

Total marks achieved: \_\_\_\_\_

## **Questions**

#### Q1.

\* Talil is going to make some concrete mix. He needs to mix cement, sand and gravel in the ratio 1 : 3 : 5 by weight.

Talil wants to make 180 kg of concrete mix. Talil has

I alli Ilas

15 kg of cement

85 kg of sand

100 kg of gravel

Does Talil have enough cement, sand and gravel to make the concrete mix?

(Total for Question is 4 marks)

#### Q2.

Liam, Sarah and Emily shared some money in the ratio 2:3:7 Emily got £80 more than Liam.

How much money did Sarah get?

(Total for question = 3 marks)

Here are the ingredients needed to make 10 pancakes.

#### Pancakes

Ingredients to make 10 pancakes

 $\begin{array}{ccc} 300 \ \mathrm{m}l & \mathrm{of \ milk} \\ 120 \ \mathrm{g} & \mathrm{of \ flour} \\ 2 & \mathrm{eggs} \end{array}$ 

Matthew makes 30 pancakes.

(a)	Work	out how	/ much	flour	he	uses
-----	------	---------	--------	-------	----	------

 	 9
	(2)

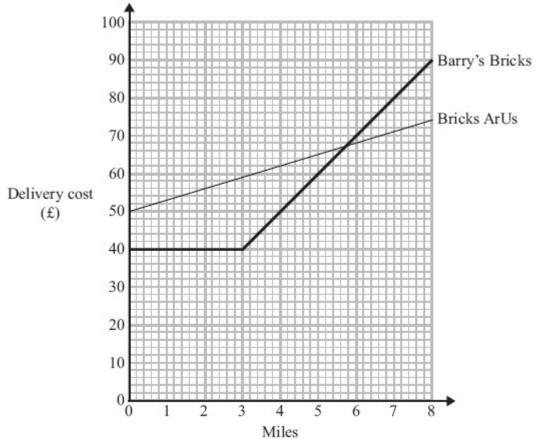
Tara makes some pancakes. She uses 750 m/ of milk.

(b) Work out how many pancakes she makes.

		(2)

(Total for Question is 4 marks)

Two companies, Barry's Bricks and Bricks ArUs, deliver bricks. The graph shows the delivery costs of bricks from both companies.



Prakash wants Bricks ArUs to deliver some bricks. He lives 2 miles away from Bricks ArUs.

ı	(a)	Write	down	the	delivery	cost

(1)

John needs to have some bricks delivered. He lives 4 miles from Barry's Bricks. He lives 5 miles from Bricks ArUs.

(b) Work out the difference between the two delivery costs.

(3)

(Total for Question is 4 marks)

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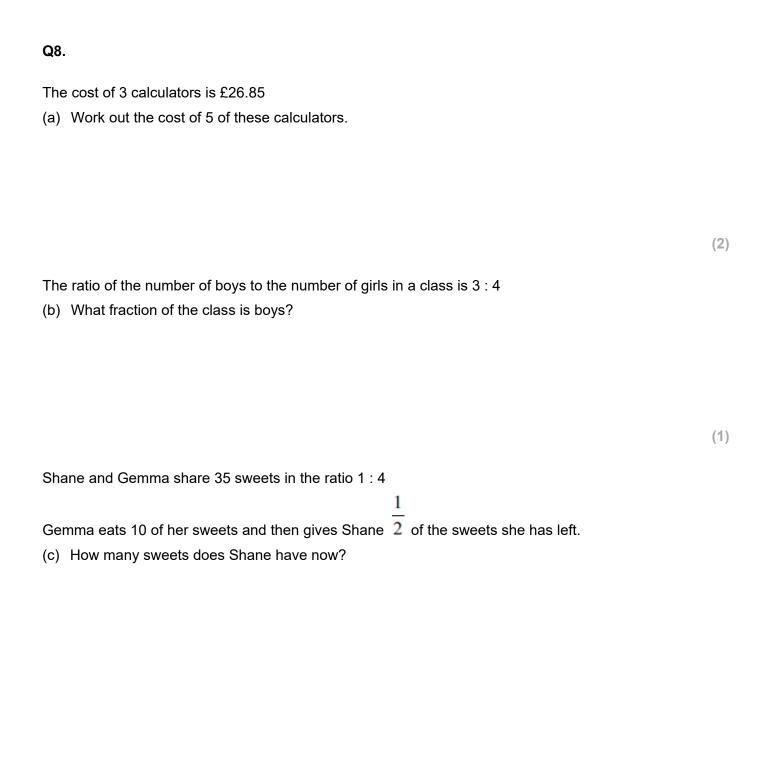
Colin, Dave and Emma share some money.	
Colin gets $\frac{3}{10}$ of the money.	
Emma and Dave share the rest of the money in the ratio 3 : 2	
What is Dave's share of the money?	
	(Total for Question is 4 marks)
Q6.	
In a company, the ratio of the number of men to the number of women is 40% of the men are under the age of 25 10% of the women are under the age of 25 What percentage of all the people in the company are under the age of 3	
	%
	(Total for question = 4 marks)

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Stephen is making soup.	
He mixes one packet of soup with water to make 6 litres of soup.	
Stephen has to make 90 bowls of soup. He wants to put 0.2 litres of soup into each bowl.	
How many packets of soup does Stephen need?	
	(Total for Question is 3 marks)

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Q7.



(Total for question = 6 marks)

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29.
The total weight of 3 tins of beans and 4 jars of jam is 2080 g. The total weight of 5 tins of beans is 2000 g.
Vork out the weight of 1 tin of beans and the weight of 1 jar of jam.
tin of beans
jar of jam
(Total for question = 4 marks

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#### Q10.

Orange squash is used to make orange drink.

Jill is going to make orange drink for 50 people.

She is going to make 2 full glasses of orange drink for each person. She needs 250 millilitres of orange drink for each glass.

Here are the instructions for making orange drink.

Mix 1 part of orange squash with 4 parts of water.

A one litre bottle of orange squash costs £2

Work out the total cost of the bottles of orange squash Jill needs to buy.

(1 litre = 1000 millilitres)

(Total for Question is 5 marks)

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#### Q11.

Robert and his family are going on holiday to France.

A bank gives Robert this chart to help him to change between pounds (£) and euros (€).

pounds	(£)	euros (€)
1	=	1.2
2	=	2.4
5	$= 2  \mathrm{M}_{\mathrm{pl}}$	6.0
10	=	12.0
20	=	24.0
50	=	60.0
100	=	120.0

,			
Robert changes £600 into euros (€)			
(a) How many euros should Robert	get?		
			(2
In France, a laptop costs €540 In England, the same laptop costs £	2460		
(b) Work out the difference between You must show clearly how you		France and the cost of the laptop	in England.
			(3
			(3

(Total for Question is 5 marks)

#### **Examiner's Report**

#### Q1

Candidates who realised the need to divide 180kg in the ratio 1:3:5 often succeeded in gaining at least 3 out of the 4 marks available. Often candidates would find the correct amounts required but then incorrectly compare them with the amounts already there. Many tried to divide 200 (15 + 85 + 100) in the given ratio. Others just thought that 200, being greater than 180, was sufficient.

Some candidates correctly found the sum of 15, 45 ( $3 \times 15$ ) and 75 ( $5 \times 15$ ) but were unable to correctly determine that more cement was needed.

Many weaker candidates chose the easier option of totalling the ingredients, gaining no credit.

#### Q2.

No Examiner's Report available for this question

#### Q3.

Part (a) was answered successfully by the vast majority of students who appeared to identify the multiplier 3 and apply it with ease.

Part (b) proved more challenging although those that identified the correct multiplier 2.5 generally applied it to reach the correct answer. Many other students used a build-up method to reach 750 m/ of milk. Some showed 300 = 10 pancakes, 600 = 20 pancakes and 150 = 5 pancakes but then combined all to give a final answer of 35 rather than 25.

#### Q4.

This question was answered quite well by candidates of all abilities. Over half of all candidates scored all four marks and only about 20% of candidates were unable to score any marks. The main error made by candidates in both parts of the question was to read off from the wrong graph. This error should surely have been detected if candidates had checked their working.

In part (b) a significant minority of candidates worked out the difference in the delivery costs for bricks delivered 5 miles from Barry's Bricks and bricks delivered 4 miles from Bricks ArUs. Again this error could have been avoided. Most candidates correctly interpreted the scales used on the axes.

#### Q5.

Few candidates made much progress with this question, though many were able to score at least one mark for  $\frac{7}{10}$  or 70%

The most successful candidates were those who started with an amount of money, usually £100. Many of these attempts resulted in an amount of money being given as the final answer rather than as a fraction of the initial amount.

A common error here was to confuse the shares for Emma and Dave.

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#### Q6.

No Examiner's Report available for this question

#### Q7.

This was a fairly well attempted question by candidates with only about a quarter of candidates failing to score. A few candidates were awarded just the first mark, generally for  $90 \times 0.2$  and just over half the candidates scored all three marks. Many candidates divided 90 by 0.2, leading to an incorrect answer of 450.

#### **Results Plus: Examiner Tip**

Candidates should always check that their answers are realistic. For example, in this question, some candidates worked out  $90 \div 0.2 = 450$  and wrote this as the number of packets of soup needed to make 90 bowls of soup.

#### **Q8**.

No Examiner's Report available for this question

#### Q9.

No Examiner's Report available for this question

#### Q10.

Most candidates were able to score marks for using two full glasses, or attempting to find the total volume of drink for all people or changing to consistent units, but relatively few attempted to deal with the ratio. A common incorrect answer was £50. Many candidates were unable to do the calculations involving multiples of 10, eg  $50 \times 500$  and  $250 \times 100$  were often incorrectly calculated as 2500.

#### **Results Plus: Examiner Tip**

Candidates should be advised to state the reasons for their decisions, eg explain why 2500 ml has been rounded up to three bottles of orange squash.

#### Q11.

Most candidates were able to use the information in the table to change £600 to Euros in part (a), usually by calculating 6×120.

It was perhaps surprising that a significant number of candidates chose to do this calculation by long addition.

A common error in this approach was to forget to carry the 1 from the tens column to the hundreds column to arrive at an answer of 620. Another common incorrect answer here was 72000 (from 120×600).

In part (b) many candidates had difficulty working out the difference in the cost of the laptop in consistent units. The most common approach here was not to use a conversion factor of 1.2 from the table, but to build up a combination of values from the table.

By far the most common incorrect answer seen was 80, where candidates simple subtracted the given amounts without any attempt to change currency.

A significant number of candidates converted both costs into the other currency before doing the subtraction.

Some candidates, having obtained the correct difference in a consistent currency, put the wrong currency symbol with their answer, whilst others did not attempt to include a currency symbol at all.

## **Mark Scheme**

## Q1.

Que	stion	Working	Answer	Mark	Notes
*		180÷9×1:180÷9×3:180÷9×5 =20:60:100 Not enough cement (but enough sand and enough gravel)  OR  1×15:3×15:5×15 =15:45:75 15+45+75=135 (<180) Not enough cement (to make 180kg of concrete)	No + reason	4	M1 for 180 ÷ (1+3+5) (=20) or 3 multiples of 1: 3: 5 M1 for 1×'20' or 3×'20' or 5×'20' or 20 seen or 60 seen or 100 seen A1 for (Cement=) 20, (Sand=) 60, (Gravel=) 100 C1 ft (provided both Ms awarded) for not enough cement oe  OR  M1 for (1×15 and) 3×15 and 5×15 or 9×15 or sight of the numbers 15, 45, 75 together. M1 for '15' + '45' + '75' A1 for 135 (<180) C1 ft (provided both Ms awarded) for not enough cement oe

## Q2.

Question	Working	Answer	Mark	AO	Notes
	$80 \div (7-2)$	£48	P	3.1d	P1 for a strategy to start to solve problem,
	(= 16)				e.g. 80 ÷ (7 – 2) (=16)
	'16' × 3		P	3.1d	P1 for full process to solve problem,
			15.16	0.77	e.g. '16' × 3
			A	1.3b	A1 cao

## Q3.

PAPER: 1	PAPER: 1MA0_2F								
Question	Working	Answer	Mark	Notes					
(a)		360	2	M1 30 ÷ 10 (= 3) or 120 ÷ 10 (=12) or 120 + 120 + 120 oe A1 cao					
(b)		25	2	M1 for $\frac{750}{300}$ (=2.5) oe A1 cao					

## Q4.

Que	stion	Working	Answer	Mark	Notes
	(a) (b)	Barry's Bricks £50	56 15	1	B1 for 56 (accept answer in the range 55 to 57)
	(5)	Bricks ArUs £65 65 - 50	13		M1 for 50 or 65 (accept 64 – 66) M1 for 65 – 50 (accept 64-66 for 65) A1 for 15 (accept answer in range 14 to 16)

## Q5.

Working	Answer	Mark	Notes
Working	28% or <sup>14</sup> / <sub>50</sub>	4	M1 for $100 - 30$ (=70) or $1 - \frac{3}{10}$ (= $\frac{7}{10}$ ) M1 for '+70' ÷ (3 + 2) (=14) or ' $\frac{7}{10}$ ' ÷ (3 + 2) (= $\frac{7}{50}$ )  M1 for '14' × 2 or $\frac{7}{50}$ × 2 A1 for 28% or $\frac{14}{50}$ oe  OR M1 for a correct method to find (100–30)% of any actual sum of money, eg $0.7 \times 500$ M1 for '350' ÷ (3 + 2) (=70) M1 for '70' × 2 (=140) A1 for 28% or $\frac{14}{50}$ oe  OR M1 for starting with a two numbers in ratio 3:2, eg 21 and 14 M1 for equating sum of their numbers to $100 - 30$ (=70), eg '21' + '14' (=35) M1 for scaling sum of their numbers to $100\%$ , eg '35'÷ $70\times 100$ (=50)
			A1 for 28% or <sup>14</sup> / <sub>50</sub> oe  [SC award B3 for oe answers expressed in an incorrect form eg <sup>2.8</sup> / <sub>10</sub> ]

## Q6.

Paper 1MA1: 1F				
Question	Working	Answer	Notes	
Question	Working	28	P1 Process to start to solve problem eg. $\frac{3}{5} \times 40$ or divide any number in the ratio 3:2  P1 Second step in process to solve problem eg. $\frac{2}{5} \times 10$ or find number of males/females under 25 for candidate's chosen number  P1 for complete process  A1	

## Q7.

Working	Answer	Mark	Notes
	3	3	M1 for 90 × 0.2 (= 18) M1(dep) for (90 × 0.2) ÷ 6 or '18' ÷ 6 A1 cao
			OR
			M1 for 6 ÷ 0.2 (= 30) M1(dep) for 90 ÷ (6 ÷ 0.2) or 90 ÷ '30' A1 cao
			OR
			M1 for 6 ÷ 90 ( = 0.0666 seen) M1(dep) for 0.2 ÷ (6 ÷ 90) A1 cao
			OR
			M1 for 6 × (1÷ 0.2) or 6 × 5 or (= 30) M1(dep) for '30'+'30'+'30' A1 cao

## Q8.

Question	Working	Answer	Mark type	AO	Notes
(a)		£44.75	M	1.3b	M1 for 26.85 ÷ 3
			A	1.3b	A1
(b)		3	В	1.3a	B1
		7			
(c)		16	P	3.1d	P1 for starting to solve
					problem, e.g. 35 ÷ 5 (=7)
			P	3.1d	P1 for complete process to
					solve problem,
					e.g. $7 + (28 - 10) \div 2$
			A	1.3b	A1 cao

## Q9.

Paper 1MA1: 3F				
Question	Question Working			Notes
	2000 ÷ 5 = 400	400, 220	B1	for 400 (weight of beans)
	$2080 - 3 \times 400 = 880$		P1	Process to find total weight of 4 jars of jam
	880 ÷ 4		P1	Process to find weight of 1 jar of jam
			A1	

## Q10.

Working		Answer	Mark	Notes
*		£10 identified	5	M1 for correct attempt to use two full glasses M1 for correct attempt to work out total volume of drink for all people (one or two full glasses) M1 for correct attempt to use ratio M1 for changing to consistent units C1 (dep on M4) for £10 clearly identified (SC B1 for correct answer of £10 if no working shown)

## Q11.

Working		Answer Mark		Notes
(a)		720	2	M1 for 6 × 120 or 600 × 120 ÷ 100 oe A1 for 720 oe (accept 720.0)
(b)		£10 or €12	3	M1 for 540÷1.2 (=450) oe, eg 4×100+50 (=450) M1(dep) for 460 – '450' (=10) A1 for £10 oe (accept £10.0)  OR M1 for 460×1.2 (=552) oe, eg 4×120+60+12 (=552) M1 (dep) for '552' – 540 (=12) A1 for £12 oe (accept £12.0)