M1.

IVI I .	(a)	6, 9, 12, 15 or difference of 3 or 3 <i>n</i> or 2 <i>n</i> seen	MI
		(n +) 2n + 3 or $3n + 3$ or $3(n + 1)$ or $3 \times 100 + 3$ oe 303	M1dep A1
	(b)	×2 +3	B1
M2.	(a)	2 <i>n</i> + 19	
	(b)	Alternative method 1 4 <i>a</i> - 9	
		8a - 21 ft 2 × their (4a - 9) - 3 correctly simplified	
		7	

7 scores B1B1B1	
ft correct solution of their $(8a - 21) = 35$	
	B1ft

Alternative method 2

B1

[4]

B1

B1

B1ft

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	11 <i>ft</i> (their 19 + 3) \div 2 correctly evaluated	B1ft	
	7 7 scores B1B1B1 ft (their 11 + 3) ÷ 2 correctly evaluated	B1ft	
	Additional Guidance 7 in working with a different final answer e.g. 19, 11, 7, 5 with answer 5 Accept embedded answers	B1B1B0	[4]
(a) (b)	51 123 - 2 or 121	B1	
(2)	or 11 ² seen	M1	
	Additional Guidance 11 x 11 + 2 (= 123) or 11^2 + 2 (= 123) embedded answer with or without an incorrect answer	A1 M1A0	
	$\sqrt{123} = 11.09, 11 \text{ or } \sqrt{123} = 11$ T & I follow scheme	M0A0	10-
			[3]

МЗ.

AQA GCSE Maths - Term-to-Term, Position-to-Term

	B18×5-2×4 ² or 8	B2	
(b)	19	B1	
(c)	$2n^2 + 2n - 2n^2$ or $2n(n + 1 - n)$	B1	[4]
M5. (a)	16	B1	
	24 and 32 ft their 16 + 8 and their 24 + 8	B1ft	
(b)	56	B1	[3]
M6. (a)	20 and 'add 3', 'increases by 3' or 3 <i>n</i> + 2 oe B1 for either answer	B2	
(b)	6n + 1 oe B1 for 6n or 6 × n or n × 6. Do not accept n6 but n6 + 1 is B1 Accept other letters		

B2

[4]

M7.

(a) 16

B1 Diagram showing 6 or 7 tables in a row with evidence of counting edges or people on the diagram or Calculation leading to 16 eg 7 + 7 + 2 or

(4) (6) (8) 10 12 14 (16)

B2

(b) Arrangement with exactly 12 tables in rows that will seat exactly 30 that has exactly one row of four tables and no single table. Eg

One row of 6 and one row of 4 and one row of 2

One row of 5 and one row of 4 and one row of 3

B2 Arrangement with exactly 12 tables in rows that will seat [28,

32] that has exactly one row of four tables and no single table. Eg

One row of 4 and two rows of 3 and one row of 2 (32 people)

or

Arrangement with exactly 12 tables in rows that will seat exactly 30 people that does **not** have exactly one row of four tables or no single tables. Eg

Two rows of 5 and one row of 2

Three rows of 4

or

Arrangement with exactly 12 tables some not in rows that will

seat exactly 30 people that has exactly one row of four tables and no single table

One 2 by 2 square, one row of 4 and two rows of 2

B1 Arrangement with [11, 13] tables that will seat [26, 34] people

that may or may **not** have exactly one row of four tables or no single table. Eg

One row of 4 and two rows of 3 and two single tables

Four rows of 3

One row of 4 and three rows of 3

One row of 4 and three rows of 2 and one single tables

M8. 2	M8. 2 × 16 + 4				
	or 32 + 4 or 36				
	or 16 + 20				
	or 2 × their 36 + 4				
	or 72 + 4				
	or their 36 + 40 or 76				
	36 and 76				

Additional Guidance

32 and 68 without working (from 2 x their 36 + 4)	M1 A0
36 and 72	M1 A0

M9.(a) 17 and 21

(b) 4*n* + 1

oe	
B1 4n (± k)	
	B2

Additional Guidance

4 × <i>n</i> + 1	is B2
$4 \times n (+ k)$	is B1

[2]

M1

A1

B1

(c)
$$4n + 1 = 53$$
 or $4n = 52$ M1

Alternative method 1

13

Alternative method 2

Counts up in 4s to within 4 of 53	
oe	
allow one error or omission	
	M1

13

A1

A1

Additional Guidance

5, 9, 13, 17, 21, 25, 29, 33, 37, 41, 45, 49	
Answer 12	is M1A0
5, 9, 13, 17, 25, 29, 33, 37, 41, 45, 49	
Answer 12	is M1A0

[5]

	5, 9, 13, 17, 21, 24, 28, 32, 36, 40, 44, 48		
	Answer 12	is M1A0	
M10 (a)	6		
WITU. (a)	0		B1
(b)	Subtract 5		
(0)	Oe		
	Accept –5n + 36		
			B1
	Additional Guidance		
	number – 5		B1
	<i>n</i> – 5		R1
	Going down in 5s		D1 D1
	Take 5		DI D1
	The Cast work on F		D1
	i në first number – 5		B0
	<i>n</i> = –5		
			B0
	-5 <i>n</i>		BU
			DU
(c)	-4		B 1
			DI
	Additional Guidance		
	negative 4		D 1
			B 1
	minus 4		B1

[6]

(d)	True	
	False	
	False	
	B1 each	B3
M11. (a)	2700 ÷ 180	
	or 15 seen	
	oe	M1
	Beams = 30	
	or Posts – 16	
		A1
	Beams = 30	
	and Posts = 16	
	ft their 15 only if M1A0	
	SCT I OF Beams = TO and POSts = 30	A1ft
	Additional Guidance	
	ft only from M1A0: ft their 15 + 1 for number of posts ft their 15 × 2 for number of beams	

(b) 5 × 40 or 200

or 9×21 or 189

[5]

	SC1 for 465	A1
	Additional Guidance 465 (mixed up the beams and the posts)	SC1
M12. (a)	75	B1
(b)	(27 – 5) ÷ 2 Condone omission of brackets	M1
	11	A1
	3 ft (their 11 − 5) ÷ 2 if A0 awarded SC1 for 0.75 SC1 for 24.5 and 22	B1ft
	Alternative Method 1	
	2x + 5 = 27	M1
	11 or $2(2x + 5) + 5 = 27$ oe	

or (27 - 15) ÷ 4

A1

M1

M1dep

3

Alternative Method 2

Two fully correct trials eg any two of $u_1 = 1, u_2 = 7, u_3 = 19$ $u_1 = 2, u_2 = 9, u_3 = 23$ $u_1 = 4, u_2 = 13, u_3 = 31$ $u_1 = 5, u_2 = 15, u_3 = 35$

Fully correct trial with first term 3 ie $u_1 = 3$, $u_2 = 11$, $u_3 = 27$



M13.(a) 10

(b) Correct pattern drawn



B1

B1

- (c) +3 seen or implied eg (4, 7, 10) 13 or 16 or 10 + 3 + 3 + 3 or 6 × 3 + 1
 - or 13 + 7 1

M1

19

A1

[4]

2