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## June 2005 6685 Statistics S3 Mark Scheme

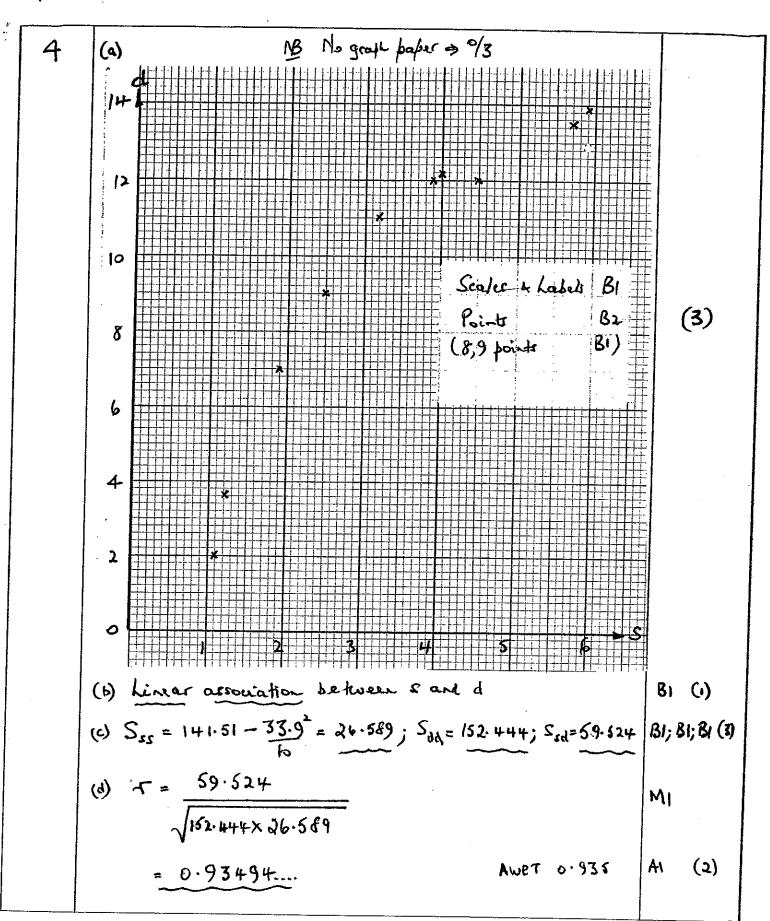
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Question Number	Scheme	Marks
Ι.	<ul> <li>(a) Population divider into mutually exclusive; groups distinct</li> <li>(b) Advantages - enables fieldwork to be done quickly</li> </ul>	B1; B1 (2)
	- costr Rept to a mininum - administration is relatively easy Any ONE	81
	Disadvantages - non-random so not possible to estimate sampling errors - Subject to possible interviewer bior Any ONE - non-response not recorded	द्रै। (२)
a.	X~H(10,3") : X~H(10, %) Can be 10; % implied 10; %	B1; B1
	$P(7 \le x \le 10) = P(\frac{7-10}{\sqrt{3}s} \le 220)$ Standardking with 10 & their of	Μι Αι
	$= P(-2.236 < Z < 0)$ $= \underline{F}(0) - \{1 - \underline{F}(2.24)\}$	# MI (þ.«
	= 0.4875	A1 (6)

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Question Scheme Marks Number Spray with Remove 3. Total dreased the action Chrical branches True died 5(7)  $\mathcal{C}(1)$ 10(7) 21 within 1 year Survived 5 (7) 7(7) 9(7) 21 1-4 years Survivid 7(6) 6 (6) 5 (6) 18 > 4year 20 Totals 20 60 20 RTXCT M1 GT ж 6x7 A١ 116 Ho: Treatment & Survival are independent (not associated) BI both H1: Treatment & Inviral are not independent (associated) N= 0.05  $\lambda = (3-1) \times (3-1) = 4$ 81 81 1 CR: X > 9.488  $\sum \left( \frac{0-E}{E} \right)^{2} = \frac{9}{7} + \frac{4}{7} + \frac{1}{7} + \frac{4}{7} + \frac{4}{7} + \frac{4}{7} + 0 + \frac{1}{6} + \frac{1}$ M) 4 A١ A = 3.47619 .... Since 3.47619... Is Not in the critical region (ie 29.4 PF) there is insofficient evidence to riject Ho. These is no evidence of association between freatment Comparison MI and length of survival. M J (11) Conduction



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, (e) Ho: Q=0; H: Q>0 Ri Crekial Value at 1%= 0.7155 Ri Reject Ho; Levels & servin & disease one positorely BI (3) correlated (f) hirear correlation significant is seatter digran BI (1) baks non-linear. Ho: Poisson distribution is a desitable model 81 5. both H: Poisson distribution is not a suitable model  $\hat{\lambda} = (0 \times 99) + (1 \times 65) + \dots + (4 \times 2) = \frac{153}{200} = 0.765$ MIA Using P(X=x) = 0.765 e where X refresents the  $200 \times P(X=X)$ - MI number of restarts give Obsorris Fryneny Expected Fryneny 99 93.06678 ..... 0 71. 19604 .... 0,1,2 AI, AI 65 (-12.2.) 27.23250-22 2 6.94428- 8.50468 12 7 14 3 Aı 74  $\begin{array}{l} \mathcal{L} = \mathcal{A} - 1 - 1 = 2; \ \mathcal{CR} : \ \mathcal{H}_{2}^{*} > 5.991 \ \text{from Poisson} \\ \mathcal{L} = \mathcal{A} - 1 = 3 \\ \mathcal{L} = \mathcal{A} - 1 = 3 \\ \mathcal{CR} : \ \mathcal{H} > 7.81r \ \text{from Poisson} \ (0.765) \\ \mathcal{L} = \frac{(0 - E)}{E} = 5.47368 \\ \mathcal{R} = \frac{1}{5} \cdot \frac{1$ BI; BIV M١ A١ there a 5.47 is not in the credical region. 5.40-5.50 A11 (12) Nombre of computer failures purday car be modelled by a Poisson distribution

6. (a) 
$$Let \times aprenet repair free
::  $\sum u = 1+35$  ::  $\overline{u} = \frac{1+35}{5} = \partial P^7$   
 $\overline{2}x^2 = 4+2575$  ::  $S^2 = \frac{1}{4} \left\{ \frac{1+2575}{5} - \frac{1+25}{5} \right\}$   
 $= \frac{7682.5}{1.62.5}$   
(b)  $P(1p-f-1) < \partial_0 = 0.95$   
::  $\frac{\partial_0}{25} = \frac{1.96}{1.96} \times \frac{1.95}{5}$   
::  $\frac{\partial_0}{75} = 1.96$   
::  $\frac{\partial_0}{75} = \frac{1.96}{400} = 96.04$   
::  $Saufte Size (>)97 required$   
::  $Saufte Size (>)97 required$   
::  $P(1w| > 6) = 2P(W > 6)$   
::  $W \sim P(0, 16)$   
::  $P(1w| > 6) = 2P(W > 6)$   
::  $P(1w| > 6) = 2P(W > 6)$   
::  $W \sim P(2 > \frac{1}{25})$   
::  $W \sim P(2 > 1.5)$   
::  $W \sim P(2 > 1.5)$   
::  $W \sim P(2 > \frac{1}{25})$   
::  $W \sim W(5, 25)$   
::  $V = 0.8443$   
::  $V(4)$$$

.

(9) Let 
$$W = C_1 + \dots + C_{24} + B$$
  
 $\therefore \in (W) = 24 \times 360 + 100 = 8500$ 
 $Var(W) = 24 \times 8 + 2^{2} = 196$ 
 $P(8510 \leq W \leq 8520) = P(\frac{8510 - 8500}{V196} \leq 2 \leq \frac{8520 - 8500}{V196})$ 
 $= P(0.71... \leq 2 \leq 1.143...)$  Awer Ay Aly  
 $= 0.9235 - 0.7611$ 
 $= 0.1625$ 
 $0.161 - 0.762$ 
Al (6)  
(1) All random Variables ar independent.
B1 (1)
  
 $ME \int Bywerts$   
 $P(0b) = 1$ 

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