

OCR Maths S1

Topic Questions from Papers

Representation of Data

Answers

| | | | | |
|----------|---|----------|---|--|
| 1 | (i) Median 8 Quartiles 6, 24 | B1 B2 | 3 | B1 for each Allow IQR = 24 - 6 |
| | (ii) Extreme values/skew distort mean or 35 mentioned | B1 | 1 | Accept just "data skewed". Not "anomaly" |
| | (iii) Advantage: retains data values Disadv: harder to read (eg) median harder to compare distr's visual comparison harder | B1 B1 | 2 | Not "Can be shown on same diag" |

(Q2, Jan 2005)

| | | | | |
|----------|--|-------------------|---|--|
| 2 | (i) Read at 300 or 300.25 and 900 or 900.75 44.5 to 45.5 and 69 to 69.9 IQR 23.5 to 25.4 | M1 A1 A1 | 3 | or 44-46 and 68-70 incl. dep A1 Must look back, see method. No wking, ans in range: M1A1A1 |
| | (ii) 0.6 or 60% CF 720 63 to 64 | M1 M1 A1 | 3 | Seen or implied Seen or implied 55.5 to 56: SC B1 |
| | (iii) 1200 - 860 = 340 | M1 A1 | 2 | Allow 1200 - (850 to 890) 310 to 350 |
| | (iv) 340/1200 0.283 ⁵ = 0.00183 | M1 M1dep A1 | 3 | their (iii)/1200 [their (iii)/1200] ⁵ exactly Allow 0.00114 to 0.00212 ≥ 2 sfs |
| | (v) Incorrect reason or ambiguity: B0B0. Otherwise: Too low, or should be 26 or 27 or 2 or 3 higher | B2 | 2 | ${}^{340}C_5 / {}^{1200}C_5$ M1 eg IQR = 55-35 = 20 or IQR = value >27 or new info' implies straight line: B1 or originally, majority in range 35 - 55 are at top of this range: B1 |
| | | 13 | | |

(Q5, June 2005)

| | | | | | | |
|--------------|--|------------------------------|-----------|--|---------------------------------|---|
| 3 (i) | Midpoints attempted ≥ 2 classes $\sum xf / 100$ or $\sum xf / \sum f$ attempted ≥ 2 terms x within class, not class width Mean = 27.2 (to 3 sfs) (not 27.25) art 27.2 from fully correct wking | M1 M1 A1 | | <u>Correct (149.5)</u> 2720.5/100 | <u>With 150</u> 2725/100 | <u>Tot = 2000</u> Allow Ms |
| | $\sum x^2 f$ or $\sum (x - \bar{x})^2 f$ ≥ 2 terms $\sqrt{(\sum x^2 f / 100 - \bar{x}^2)}$ or $\sqrt{((\sum (x - \bar{x})^2 f) / 100)}$ or $\sqrt{\sum f}$ fully corr method, not $\sqrt{\text{neg}}$ = 40.5 to 41.1 (3 sfs) | M1 M1 A1 | 6 | 27.2 240702.25 40.82 | 27.25 242050 40.96 | & poss As |
| | | | | allow class widths for 2nd M1 only | | |
| | | | | | | |
| (ii) | Recog LQ in 1 st class & UQ in 3 rd class <u>Graph:</u> Attempt 25(.25) th value <u>Interp:</u> Attempt 75(.75) th value Subtract IQR = 23 or 24 or 25 | B1 M1 M1 A1 | | | | both nec'y dep B1 or M1 integer. dep M2 |
| (iii)(a) | Increase | B1 | 1 | | | |
| (b) | Increase | B1 | 1 | | | Ignore "probably" etc |
| (c) | No change | B1 | 1 | | | |
| Total | | | 13 | | | |

(Q7, June 2006)

| | | | | |
|---------------|---|-------------|----------|--|
| 4 (ia) | W & Y <i>oe</i> | B1 | 1 | |
| b | X <i>oe</i> | B1 | 1 | |
| ii | Geo probs always decrease or Geo has no upper limit to x or $x \neq 0$ | B1 | 1 | Geo not fixed no. of values diags have fixed no of trials not Geo has +ve skew |
| iii | W Bin probs cannot fall then rise or bimodal | B1 B1dep | 2 | indep allow Bin probs rise then fall |
| Total | | | 5 | |

(Q4, Jan 2007)

| | | | |
|--------------|---|----------------------------------|---|
| 5 (i) | Med = 2 LQ = 1 or UQ = 4 | B1 M1 | cao or if treat as cont data: read cf curve or interp at 25 & 75 |
| | IQR = 3 | A1 3 | cao |
| ii | Assume last value = 7 (or eg 7.5 or 8 or 8.5) xf attempted ≥ 5 terms 2.6 or 3 sf ans that rounds to 2.6 x^2f or $(x-m)^2f \geq 5$ terms $\sqrt{(x^2f/100 - m^2)}$ or $\sqrt{(x-m)^2f}/100$ fully correct but ft m 1.6 or 1.7 or 3 sf ans that rounds to 1.6 or 1.7 | B1 M1 A1 M1 M1 A1 | stated, & not contradicted in wking eg 7-9 or 7,8, 9 Not just in wking allow "midpts" in xf or x^2f dep M3 penalize > 3 sfs only once |
| iii | Median less affected by extremes or outliers etc (NOT anomalies) | B1 1 | or median is an integer or mean not int. or not affected by open-ended interval general comment acceptable |
| iv | Small change in var'n leads to lge change in IQR UQ for W only just 4, hence IQR exaggerated orig data shows variations are similar | B1 1 | for Old Moat LQ only just 1 & UQ only just 3 oe specific comment essential |
| v | OM % (or y) decr (as x incr) oe Old Moat | B1 B1 2 | ranks reversed in OM or not rev in W NIS |
| Total | | 13 | |

(Q8, Jan 2007)

| | | | |
|--------------|--|---------------------------------|--|
| 6 (i) | 1991 100 000 to 110 000 | B1 ind B1 ind 2 | Or fewer in 2001 Allow digits 100 to 110 |
| iiia | Median = 29 to 29.9 Quartiles 33 to 34, 24.5 to 26 = 7.5 to 9.5 140 to 155 23 to 26.3% | B1 M1 A1 M1 A1 5 | Or one correct quartile and subtr NOT from incorrect wking $\times 1000$, but allow without Rnded to 1 dp or integer 73.7 to 77% : SC1 |
| b | Older Median (or ave) greater } % older mothers greater oe} % younger mothers less oe} | B1 B1 B1 3 | Or 1991 younger Any two Or 1991 steeper so more younger: B2 NOT mean gter Ignore extra |
| Total | | 10 | |

(Q5, June 2007)

| | | | |
|--------------|--|--------------------------------------|--|
| 7 (i) | m = 26.5 LQ = 22 or 21.5 or 21.75 UQ = 39 40 39.5 IQR = 17 18.5 17.75 | B1 M1 A1 3 | M1 for either LQ or UQ A1 must be consistent LQ, UQ & IQR |
| ii | Ave or overall or med or "it" similar Male spread greater or M more varied oe | B1f B1f 2 | or F med (or ave) higher or F mean less or M & F both have most in 20s or male range greater or more younger F or more older M |
| iii | Med less (or not) affected by extreme(s) or Mean (more) affected by extreme(s) | B1 1 | oe; not "anomalies" ignore eg "less accurate" |
| iv | <u>Decode last</u> 245/49 = 5 mean = 205 $\sqrt{(9849/49 - (245/49)^2)}$ = 13.3 (3sfs) or $4\sqrt{11}$ sd = 13.3 or $4\sqrt{11}$ <u>Decode first</u> 245 + 200×49 or 10045 B1 $10045/49$ M1 = 205 A1 $\Sigma x^2 = 9849 + 400 \times 10045 - 49 \times 40000$ B1 or 2067849 B1 $\sqrt{\frac{\Sigma x^2}{49} - \bar{x}^2}$ M1 = 13.3 or $4\sqrt{11}$ A1 | M1 A1 B1f M1 A1 B1f 6 | must consistently decode last or first 200 + "5" dep $\sqrt{+ve}$ dep M1 or ans 176; award if not +200 allow $445/49$ or 9.08 seen dep $\sqrt{+ve}$ Σx^2 must be: attempt at Σx^2 >9849 not involve 9849 ² not $(\Sigma x)^2$ eg 10045 ² , 445 ² \bar{x} must be decoded attempt, eg 9.08 |
| Total | | 12 | |

(Q8, Jan 2008)

| | | | |
|--------------|---|------------|---|
| 8 (i) | $\frac{25}{10}$ = 2.5 | M1 A1 2 | Allow $\frac{25}{(9 \text{ to } 10)}$ or 2.78: M1 |
| ii | (19.5, 25) (9.5, 0) | B1 B1 2 | Allow (24.5, 47) Both reversed: SC B1 If three given, ignore (24.5, 47) |
| iii | Don't know exact or specific values of x (or min or max or quartiles or median or whiskers). oe Can only estimate (min or max or quartiles or median or whiskers) oe Can't work out (.....) oe Data is grouped oe | B1 1 | Exact data not known Allow because data is rounded |
| Total | | 5 | |

(Q5, June 2009)

| | | | |
|--------------|--|------------------|---|
| 9 (i) | 68 75 – 59 = 16 | B1 M1 A1 3 | attempt 6 th & 18 th or 58-60, 74-76 & subtr must be from 75 – 59 |
| (ii) | Unaffected by outliers or extremes (allow less affected by outliers) sd can be skewed by one value | B1 1 | NOT: ... by anomalies or freaks easier to calculate |
| (iii) | Shows each data item, retains orig data can see how many data items can find (or easier to read) mode or modal class can find (or easier to read) frequs can find mean Harder to read med (or Qs or IQR) Doesn't show med (or Qs or IQR) B&W shows med (or Qs or IQR) B&W easier to compare meds | B1 B1 2 | NOT: shows frequs shows results more clearly B&W does not show frequs NOT: B&W easier to compare B&W shows spread or variance or skew B&W shows highest & lowest Assume in order: Adv, Disadv, unless told Allow disadv of B&W for adv of S&L & vice versa Ignore extras |
| (iv) | m = 68.1 NOT by restart sd = 9.7 (or same) NOT by restart | B1 B1 2 | Restart mean or mean & sd: 68.1 or 68.087 & 9.7 or 9.73 B1 only |
| Total | | 8 | |

(Q5, Jan 2009)

| | | | |
|-------------------|---|--|--|
| 10 (i) (a) | Use of correct midpts $\Sigma lf \div \Sigma f$ (= 706 ÷ 40) = 17.65 $\Sigma l^2 f$ (= 13050.5) $\sqrt{\frac{13050.5}{40} - 17.65^2}$ (= $\sqrt{14.74}$) = 3.84 (3 sfs) | B1 M1 A1 M1 M1 A1 6 | 11,14,18,25.5 l within class, ≥ three lf seen [17.575,17.7] ≥ three l ² f seen ÷40, -mean ² , √.Dep>0. Σ(1-17.65) ² f, at least 3 M1, ÷40, √ M1, 3.84 A1. ÷ 4 ⇒ max B1M0A0M1M0A0 |
| (b) | mid pts used or data grouped or exact values unknown oe | B1 1 | not "orig values were guesses" |
| (ii) | 20 ÷ 5 = 4 | M1 A1 2 | condone 20 ÷ [4,5] or ans 5 |
| (iii) | 20.5 th value requ'd and 1 st two classes contain 14 values 16 – 20 | M1 B1 2 | condone 20 th oe or third class oe |
| (iv) (a) | increase | B1 1 | |
| (b) | decrease | B1 1 | |
| Total | | [13] | |

(Q2, Jan 2010)

| | | | |
|--------|---|---|---|
| 11 (i) | <p>Attempt find total area, (even if includes a^2) eg $20 \times 1.4a + 10 \times 3.4a + 6 \times 4.6a + 4 \times 2.6a + 10 \times 3a + 30a$ or $28a + 34a + 27.6a + 10.4a + 30a + 30a$ or $20 \times 1.4 + 10 \times 3.4 + 6 \times 4.6 + 4 \times 2.6 + 10 \times 3 + 30$ or $28 + 34 + 27.6 + 10.4 + 30 + 30$ or $7 \times 20 + 17 \times 10 + 23 \times 6 + \dots$ or $160a$ or 160 or 16 or $16a$ (if area, not ht)</p> <p>$800 \div$ their total (must involve area, not ht) eg $160a = 800, 800 \div a = 5$</p> <p>“Box” \Rightarrow area. “Square” possibly \Rightarrow area</p> | <p>eg tot <u>area</u> = 16cm^2 or $16a$ M1 $800/16 (= 50)$ M1 $a \times 10 = 50 \quad a = 5$ A1</p> <p>eg tot area = 400 (sqs) M1 $800/400 (= 2)$ M1 $1.4a \times 20 = 70 \times 2 \quad a = 5$ A1</p> <p>Correct ans with nothing incorrect seen: M1M1A1</p> <p>But where the correct answer clearly results from incorrect working, eg $a = 800/167 = 4.8$ rounded to $a = 5$, then max M1M1A0</p> | <p>Trial methods, eg:</p> <p>$a = 5$ gives $7 \times 20 + 17 \times 10 + 23 \times 6 + \dots = 800$ M1 But no of apples = 800 M1 Hence $a = 5$ A1</p> <p>$a = 10$ gives $14 \times 20 + 34 \times 10 + 46 \times 6 + \dots = 1600$ M1 But no of apples = 800 M1 Hence $a = 5$ A1</p> <p>NOT “$1\text{cm} = 5$” (because may just come from counting squares) <u>NB total ht = 16cm so if 16 seen, must clearly be area eg $800/16$ may score 0 or 2</u></p> |
| 6 (ii) | <p>$\frac{1}{2}$ total area or $\frac{1}{2}$ total no. apples fit their 6(i)</p> <p>Median is in 50 – 56 class stated or implied</p> <p>Calculate (approx) $\frac{2}{3}$ of way along class or $\frac{1}{3}$ of way from top of class</p> <p>Median = 53.9 to 54 Not eg 54.2</p> | <p>B1f</p> <p>M1</p> <p>M1</p> <p>A1</p> <p>[4]</p> <p>Correct ans with nothing incorrect seen: M1M1A1</p> <p>But where the correct answer clearly results from incorrect working, eg $a = 800/167 = 4.8$ rounded to $a = 5$, then max M1M1A0</p> | <p>Examples of correct methods:</p> <p>$400 - (7 \times 20 + 17 \times 10) (= 90)$ $50 + \frac{90}{23 \times 6} \times 6 = 54$</p> <p>$200 - (70 + 85) (= 45)$ $50 + \frac{45}{69} \times 6 = 54$</p> <p>$400.5 - (7 \times 20 + 17 \times 10) (= 90.5)$ $50 + \frac{90.5}{23 \times 6} \times 6 = 54$</p> <p>Use of LB = 49.5: eg median = $49.5 + \text{appr } \frac{2}{3} \times 6 = 53.4$</p> <p>B1M1A1A0</p> |

(Q6, Jan 2013)

| | | | |
|--------------|--|-----------------------------------|---|
| 12 (i) | 590 | B1 1 | Allow approximately 590 |
| ii | Graph horiz (for ≥ 55 mks) oe | B1 1 | or levels off, or grad = 0, grad not increase Allow line not rise, goes flat, plateaus, stops increasing, not increase, doesn't move |
| iii | 39 to 41 | B1 1 | |
| iv | <p>Attempt read cf at 26 or 27 Double & attempt read x</p> <p>Max C = 29 to 31.5</p> | <p>M1</p> <p>M1</p> <p>A1 3</p> | <p>eg 26 mks $\rightarrow 150^{\text{th}}$ 27 mks $\rightarrow 180^{\text{th}}$</p> <p>eg read at cf = 300 or 360 Indep of first M1 May be implied by ans</p> <p>Answer within range, no working, M1M1A1 32 without working, sc B1</p> |
| v | <p>LQ = 25.5-26.5 or UQ = 34-35.5 IQR = 8-10</p> <p>(German) more spread</p> | <p>M1</p> <p>A1</p> <p>B1ft 3</p> | <p>M1 for one correct quartile dep ≥ 1 correct quartile or no working</p> <p>or less consistent, less uniform, less similar, more varied, more variable, greater variance, more spaced apart, further apart fit their IQR; must be consistent with IQR</p> <p>Correct comment with no working: M0A0B1</p> |
| Total | | 9 | |

(Q1, June 2010)

| | | | | |
|---------------|--|---|---|--|
| 13 (i) | 38 61 | B1 B1 2 | Reversed: B1B0 | |
| ii | Paper 2 Higher median or curve is to right | B1 B1dep 2 | Indep of reason or similar Higher average or mean or midpoint Paper 2: half \leq 61, cf paper 1: half \leq 38 Paper 1: more students scored lower marks (or lower than eg 40) | Ans "Paper 1", ignore reason: B0B0 unless reversed in (i) More scored higher mks Highest & lowest mks are higher For each cf, the corresponding mark is higher in p2. None get 0-10 Some get 100 Eg 25 scored $>$ 69 in p1, cf 65 scored $>$ 69 in p2 NOT Marks are higher NOT marks seem higher NOT everyone gets higher mks NOT Curve steeper Ignore irrelevant or incorrect SC: If reversed in (i): (ii) p1 because median higher B1B1ft |
| iii | 55, 25 73, 46 Paper 1 IQR = 30 Paper 2 IQR = 27 Suggestion correct or p2 less varied | M1 A1 A1 B1f indep 4 | M1 one pair of quartiles p2 more consistent or less spread out Allow "p2 has smaller range (or smaller variance)" if IQRs found "It" is less varied: assume p2: B1 | Allow 55 \pm 1, 25 \pm 1 Not necessarily subtracted 73 \pm 1, 46 \pm 1 30 \pm 1 27 \pm 1 p1 more varied or more spread out or less consistent Little difference or similarly varied NOT p2 IQR smaller than p1 unless also says less varied oe If quartiles found but not IQRs: max M1A0A0B1 If no quartiles calculated can still score B1 Steeper curve alone M0A0A0B0 If IQRs wrong, with p1 $<$ p2, fit "suggestion wrong": B1f Ignore irrelevant or incorrect |
| iv | 37 (\pm 3) | B2 2 | B1 for 163 (\pm 3) | Not necessarily integer. B1 for 78-80 mks for min grade A on p2 SC: ans 105 – 110: B1 (from p1 10 mks hier instead of lower) |
| v | 37.5 28.2 | B1 B1 2 | cao or sd the same | NOT eg 37.51 Ignore all working |
| Total | | 12 | | |

(Q1, Jan 2011)

| | | | | |
|----------------------|--|---|---|--|
| <p>14 (i)</p> | <p>Method is either: Just $4 \div 3$ or $\frac{4}{3}$ or: Use of ratio of correct frequencies AND ratio of widths (correct or 4 and 2)</p> <p>$5.6 \times \frac{4}{28} \times \frac{5}{3}$ or $0.8 \times \frac{5}{3}$ or $(5.6 \div \frac{28}{5}) \times \frac{4}{3}$ or $\frac{4}{3}$ or $4 \div 3$ oe</p> <p>$= 1\frac{1}{3}$ or $\frac{4}{3}$ or 1.33 (3 sf) oe</p> | <p>M2</p> <p>A1 3</p> | <p>M1 for $5.6 \times \frac{4}{28} \times \frac{4}{2}$ or $0.8 \times \frac{4}{2}$ or $(5.6 \div \frac{28}{4}) \times \frac{4}{2}$ or 0.8×2 oe (= 1.6)</p> <p>No wking, ans 1.3: M2A0</p> <p>Ans 1.6: Check wking but probably M1M0A0</p> | <p>Correct calc'n using 5.6, 28, 4, 5, 3 oe: M2 Correct calc'n using 5.6, 28, 4, 4, 2 oe: M1</p> <p>ie fully correct method: M2 or: incorrect class widths, otherwise correct method: M1</p> <p>$\frac{4}{3}$ correctly obtained (or no wking) then further incorrect: M1M0A0</p> <p>Use of ratio of widths OR freqs but not both: M0 eg $5.6 \times \frac{4}{28}$ (= 0.8) or $5.6 \times \frac{3}{5}$ (= 3.36): M0</p> <p>$\frac{4}{2} = 2$: M0M0A0</p> <p>May be implied, eg by 21 or 22 or 21.5</p> <p>Calc'ns need not be correct but need to contain relevant figures for gaining B1B1</p> <p>The “\approx” sign means ± 2</p> <p><u>Alternative Method:</u> $33 \approx 18^{\text{th}}$ value B1 More values above 33 than below oe B1 Med > 33 B1</p> <p>Ignore comment on skew</p> <p>NB Use EITHER the main method OR the <u>Alternative Method</u> (above), not a mixture of the two. Choose the method that gives most marks.</p> <p>Not nec'y correct values (29, 33, 40.5, 53)</p> <p>Allow on boundaries. Not class widths</p> <p>Allow on boundaries. Not class widths (3364, 30492, 22963.5, 11236)</p> <p>Allow class widths for this mark only NB mark is not just for “– mean²”, unlike q5(iii)</p> <p>$\Sigma(fx)^2$: M0M0A0</p> <p>If no wking for Σfx^2, check using their x and f</p> <p>If no wking or unclear wking: full mks for each correct ans for incorrect ans: $35.8 \leq \mu \leq 36.9$ M0M1A0 $6.0 \leq sd \leq 6.25$ M1M0A0</p> |
| <p>ii</p> | <p>25 or 26 or 25.5</p> <p>Med is 21st (or 22nd or 21.5th) in 31-35 class or “25 – 4” Can be implied by calc'n</p> <p>Med > 33 or “more than”</p> | <p>B1</p> <p>B1</p> <p>B1 3</p> | <p>or 25 & 26</p> <p>or med in last ≈ 7 in class or $33 \approx 14^{\text{th}}$ in class or $33 \approx 18^{\text{th}}$ in whole set Can be implied by diagram</p> <p>indep</p> | <p>Calc'ns need not be correct but need to contain relevant figures for gaining B1B1</p> <p>The “\approx” sign means ± 2</p> <p><u>Alternative Method:</u> $33 \approx 18^{\text{th}}$ value B1 More values above 33 than below oe B1 Med > 33 B1</p> <p>Ignore comment on skew</p> <p>NB Use EITHER the main method OR the <u>Alternative Method</u> (above), not a mixture of the two. Choose the method that gives most marks.</p> |
| <p>iii</p> | <p>≥ 3 mid-pts attempted</p> <p>$\Sigma fx \div 50$ attempted (= $\frac{1819}{50}$) $= 36.38$ or 36.4 (3 sf)</p> <p>Σfx^2 attempted (= 68055.5)</p> <p>$\sqrt{\frac{68055.5}{50} - (\frac{1819}{50})^2}$ or $\sqrt{1361.11 - 36.38^2}$ (= $\sqrt{37.6056}$)</p> <p>$= 6.13$ (3 sfs)</p> <p>Alt for variance: $\Sigma f(x - \bar{x})^2$ (= 1880.28) M1 $\sqrt{\frac{1880.28}{50}}$ M1 $= 6.13$ (3 sf) A1</p> | <p>M1</p> <p>M1</p> <p>A1</p> <p>M1</p> <p>M1</p> <p>A1 6</p> | <p>seen or implied</p> <p>≥ 3 terms. or 36 with correct working</p> <p>≥ 3 terms.</p> <p>completely correct method except midpts & ft their mean, dep not $\sqrt{(\text{neg})}$</p> | <p>Allow on boundaries. Not class widths</p> <p>Allow on boundaries. Not class widths (3364, 30492, 22963.5, 11236)</p> <p>Allow class widths for this mark only NB mark is not just for “– mean²”, unlike q5(iii)</p> <p>$\Sigma(fx)^2$: M0M0A0</p> <p>If no wking for Σfx^2, check using their x and f</p> <p>If no wking or unclear wking: full mks for each correct ans for incorrect ans: $35.8 \leq \mu \leq 36.9$ M0M1A0 $6.0 \leq sd \leq 6.25$ M1M0A0</p> |
| <p>iv</p> | <p>(a) Decrease (b) Increase (c) Same (d) Same</p> | <p>B1B1 B1B1 4</p> | <p>Ignore other, eg “slightly” or “probably”</p> | <p>Ignore any comments or reasons, even if incorrect</p> |
| <p>Total</p> | | <p>16</p> | | |

| | | | | | | |
|----|-------|-----|--|-----------------|--|---|
| 15 | (i) | (a) | $(\frac{6}{3} \Rightarrow) 2$ | B1 [1] | $(\frac{6}{9} \times 3 \Rightarrow) 2$ | |
| | | (b) | $\frac{2}{6} \times 2$ $= \frac{2}{3}$ oe or 0.667 or 0.67 or 0.7 | M1 A1[2] | Allow $\frac{2}{5} \times 2$ or ans 0.8 for M1 | Can be implied, eg $\frac{1}{3} = 0.3$, ans 0.6: M1A0 Allow 0.66 or 0.666 |
| | (ii) | | (3.5, 6) (0.5, 0) or (6.5, 15) | B1 B1 [2] | Ignore incorrect | (6, 3.5) AND (15, 6.5): B1 |
| | (iii) | (a) | $\frac{\Sigma xf}{21}$ $= 5.43$ (3 sf) | M1 | Allow x within classes, incl end pts | ≥ 2 non-zero terms correct fit their x |
| | | | or $\frac{114}{21}$ or $\frac{38}{7}$ oe | A1 | then $\div 5$: M0A0 | |
| | | | $\frac{\Sigma x^2 f}{21}$ or $\frac{817.5}{21}$ or 38.9... | M1 | Allow x within class, incl end pt $\div 5$: M0 | ≥ 2 non-zero terms correct fit their x |
| | | | - "5.43" ² or = 9.46 or 9.4592.... | M1 | dep +ve result; done before $\sqrt{\quad}$; not $-(\bar{x}^2 \div \dots)$ | Calc 4 values of $(x - \bar{x})^2$ or $(x - \bar{x})^2 f$ or (11.8, 0.184, 6.61, 50) or (70.5, 1.65, 26.4, 100) or 199 M1 $\frac{\Sigma(x-\bar{x})^2 f}{21}$ fully correct method M1 |
| | (iii) | (b) | Actual values or exact hours unknown oe Don't have raw data. oe or measured to nearest hour oe | B1 [1] | or Data given in classes or grouped oe or Data evenly distributed in classes oe | Mid-points or medians or averages of class boundaries used oe |

(Q5, Jan 2012)

| | | | | | | |
|----|-------|------|--|-----------------|--|--|
| 16 | (i) | | 23 | B1 [1] | Allow 22.5 | NOT 22 (ie 3.5 th no) Correct ans is the 4 th or 3.75 th no. |
| | | (ii) | 0 0 | B1 B1 [2] | B1 for 30, 30 | |
| | (iii) | | 38 or 40 39 40.75 | B2 | B1 for 38 or 39 seen B2 for 38 & 39 seen alone, not in a range | eg 38, 38.5, 39 B1B0 (ie UQ = $\frac{3}{4} \times 14 = 10.5^{\text{th}}$ no.) 'Between 39 & 46' B1B0 $38 \leq \text{any letter} < 40$ B1B0 SC 42, 42.5 only B1B0 (ie UQ = 11.5 th no.) Correct ans are the poss 11 th or 11.25 th nos |
| | | | Shows all the data or you can see all the values oe You can see the actual/exact/indiv numbers/values/results No data is lost oe Shows the shape of the distribution oe Can perform calculations of your choice (eg mean) Shows which group (or class, NOT value) has the highest frequency (or is the mode) oe | | any implication of <u>all</u> the data or the <u>actual</u> numbers/values/results or similar eg Can compare each indiv result Easier to see the numbers eg can <u>find</u> frequencies | NOT Shows the spread/skew/trend Any comment on skew You can <u>see</u> the actual frequ's Easier to compare sets of data Shows more info or more data Easier to read off the data Ignore all other |
| | | | Shows the median or it's easier to see the median (or quartiles or IQR) It can measure the middle 50% easily | B1 [1] | eg Shows mean and quartiles B1 Shows range and median B1 No mks for ans to (v) given in (iv) unless labelled as (v) Ignore all other | NOT Shows the spread/skew/trend Can see data in diag form Shows max or min or range Easier to compare sets of data Not affected by outliers Easy to see outliers Shows s.d. or shows mean Can see important data items/measures |

(Q3, June 2012)