



## Cambridge International AS & A Level

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NAME

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**MATHEMATICS**

**9709/62**

Paper 6 Probability & Statistics 2

**February/March 2021**

**1 hour 15 minutes**

You must answer on the question paper.

You will need: List of formulae (MF19)

### INSTRUCTIONS

- Answer **all** questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do **not** use an erasable pen or correction fluid.
- Do **not** write on any bar codes.
- If additional space is needed, you should use the lined page at the end of this booklet; the question number or numbers must be clearly shown.
- You should use a calculator where appropriate.
- You must show all necessary working clearly; no marks will be given for unsupported answers from a calculator.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in degrees, unless a different level of accuracy is specified in the question.

### INFORMATION

- The total mark for this paper is 50.
- The number of marks for each question or part question is shown in brackets [ ].

This document has **12** pages. Any blank pages are indicated.

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## 3

- 1** A construction company notes the time,  $t$  days, that it takes to build each house of a certain design. The results for a random sample of 60 such houses are summarised as follows.

$$\Sigma t = 4820 \quad \Sigma t^2 = 392\,050$$

- (a)** Calculate a 98% confidence interval for the population mean time. [6]

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- (b)** Explain why it was necessary to use the Central Limit theorem in part **(a)**. [1]

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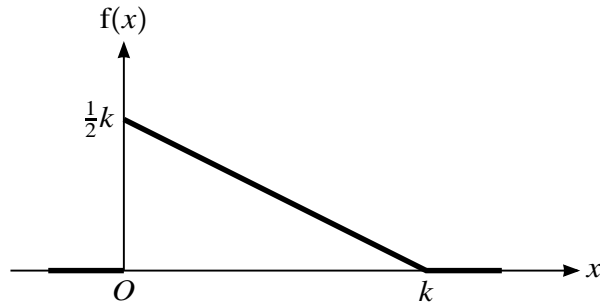
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2



The diagram shows the graph of the probability density function,  $f$ , of a random variable  $X$ .

- (a) Find the value of the constant  $k$ . [2]

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- (b) Using this value of  $k$ , find  $f(x)$  for  $0 \leq x \leq k$  and hence find  $E(X)$ . [3]

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## 6

**3** An architect wishes to investigate whether the buildings in a certain city are higher, on average, than buildings in other cities. He takes a large random sample of buildings from the city and finds the mean height of the buildings in the sample. He calculates the value of the test statistic,  $z$ , and finds that  $z = 2.41$ .

(a) Explain briefly whether he should use a one-tail test or a two-tail test. [1]

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(b) Carry out the test at the 1% significance level. [3]

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**4** On average, 1 in 400 microchips made at a certain factory are faulty. The number of faulty microchips in a random sample of 1000 is denoted by  $X$ .

(a) State the distribution of  $X$ , giving the values of any parameters. [1]

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(b) State an approximating distribution for  $X$ , giving the values of any parameters. [2]

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(c) Use this approximating distribution to find each of the following.

(i)  $P(X = 4)$ . [2]

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(ii)  $P(2 \leq X \leq 4)$ . [2]

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(d) Use a suitable approximating distribution to find the probability that, in a random sample of 700 microchips, there will be at least 1 faulty one. [3]

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