1	iA	$BC^2 = 348^2 + 302^2 - 2 \times 348 \times$	M2	M1 for recognisable attempt at	
		302 × cos 72°		Cosine Rule	
		BC = 383.86	A1	to 3 sf or more	
		1033.86[m] or ft 650 + their BC	1	accept to 3 sf or more	4
	iB	$\frac{\sin B}{302} = \frac{\sin 72}{\text{their } BC}$	M1	Cosine Rule acceptable or Sine Rule to find C	
		B = 48.4	M1	or 247 + their C	
		answer in range 306 to307	A1		4
	ii	Arc length PQ = $\frac{224}{360} \times 2\pi \times 120$	M2	M1 for $\frac{136}{360} \times 2\pi \times 120$	
		o.e. or 469.1 to 3 sf or more	R1		
		QP = 222.510 3 ST OF MORE	A1		
		answer in range 090 to 092 [11]	,,,,		4

2	7/9 or 140/180 o.e.	2	B1 for $180^\circ = \pi$ rad o.e. or 0.78 or other	
			approximations	2

3	(i) 5	2	M1 for $6 = 1.2r$	
	(ii) 5.646 to 2 sf or more	3	M2 for 2 x 5x sin 0.6 or $\sqrt{5^2 + 5^2 - 2.5.5}$ cos 1.2) or 5 sin 1.2/sin 0.971 M1 for these methods with 1 error	5

4	(i) 2.4, $2\frac{2}{5}$ , $\frac{12}{5}$	B3	M1 for $30 = \frac{1}{2} \times 25 \times q$ o.e. M1 for $q = (2 \times 30) / 5^2$	5
	(ii) 22	P2	M1 for $(arc = )5 x$ their 2.4	

Q	uestio	n	Answer	Marks	Guidan	ice
5	(i	(A)	$AC^2 = 12.8^2 + 7.5^2$ oe	M1	allow correct application of cosine rule or from finding relevant angle and using trig	
			<i>AC</i> = 14.83543056	A1	rot to 3 or more sf, or 15	<b>B2</b> for 14.8 or better unsupported
			$\tan C = \frac{128}{75}$	M1	or $\sin C = \frac{12.8}{t_{their14.8}}$	or $\frac{\sin C}{12.8} = \frac{\sin 90}{their 14.8}$
			or $C = 90 - \tan^{-1}(\frac{75}{128})$ oe		or $\cos C = \frac{75}{their14.8}$	or $\cos C = \frac{their 14.8^2 + 7.5^2 - 12.8^2}{2 \times 7.5 \times their 14.8}$
			59.6 to 59.64	A1		
			$\frac{AD}{\sin(155 - their 59.6)} = \frac{their 14.8}{\sin 35}$ oe	M1		
			25.69 to 25.8	A1	allow <b>B2</b> for $25.69 \le AD < 25.8$ unsupportedbut <b>B0</b> for 25.8 unsupported	<b>M0A0</b> for ${}^{14.8}/_{cos55} = 25.803$
				[6]		

Q	uestic	n	Answer	Marks	Guida	nce
5	(i	( <i>B</i> )	area of $ABC = 48$ soi	<b>B1</b>	may be implied by correct final answer in	condone 48.0
			<sup>1</sup> / <sub>2</sub> ×their 14.8×their 25.7×sin(their 59.6 - 10	M1	range or by sight of $\frac{1}{2} \times 12.8 \times 7.5$ oe may be implied by 144.8 to 146	
			192.8 to $194[m^2]$	A1		<b>B3</b> for correct answer in range if
				503		unsupported
				[3]		
	(ii		angle $HMG = \frac{\pi - 1.1}{2}$ or $MHG = 0.55$ (31.5126°)	B1	or angle <i>EMF</i> or angle <i>MEF</i>	allow 1.02 to 1.021 <i>or</i> 58.487° to 58.5°
			01  MHO = 0.55 (51.5120)			
			<i>HM</i> = 1.7176 to 1.7225	B1		may be implied by final answer
			$\frac{1}{2} \times 1.1 \times their HM^2$	M1	1.63(0661924)	check arithmetic if necessary their $HM \neq 0.0$ or 1.8
			or $\frac{\theta}{360} \times \pi \times theirHM^2$		$\theta = 63(.025357)$	11011111117 + 0.9011.0
			area of triangle $EMF = 0.652$ to $0.662$	B1	or MGH	may be implied by final answer or in double this (1.304 to 1.324)
			2.95 to 2.952 [m <sup>2</sup> ] cao	A1		full marks may be awarded for final answer in correct range ie allow
				[5]		recovery of accuracy

6	i (A)	$5.2^2 + 6.3^2 - 2 \times 5.2 \times 6.3 \times \cos 57$ " ST = 5.6 or 5.57 cao	M2 A1	M1 for recognisable attempt at cos rule. or greater accuracy	3	
	i ( <i>B</i> )	sin T/5.2 = sin(their 57)/their ST T=51 to 52 or S = 71 to 72 bearing 285 + their T or 408 – their S	M1 A1 B1	Or sin S/6.3 = or cosine rule If outside 0 to 360, must be adjusted	3	
	ii	5.2 $\theta$ , 24 × 26/60 $\theta$ = 1.98 to 2.02 $\theta$ = their 2 × 180/ $\pi$ or 114.6° Bearing = 293 to 294 cao	B1B1 B1 M1 A1	Lost for all working in degrees Implied by 57.3	5	11

7	i	Correct attempt at cos rule correct full method for C C = 141.1 bearing = [0]38.8 cao	M1 M1 A1 A1	any vertex, any letter or B4	4
	ii	½ × 118 × 82 × sin their C or supp. 3030 to 3050 [m²]	M1 A1	or correct use of angle A or angle B	2
	iiiA	$\sin(\theta/2) = (\frac{1}{2} \times 189)/130$	M1	or $\cos\theta = (130^2 + 130^2 - 189^2)/(2x130x130)$	2
	iiiB	$1.6276 \rightarrow 1.63$ $0.5 \times 130^2 \times \sin 1.63$ $0.5 \times 130^2 \times 1.63$ their sector – their triangle AOB 5315 to 5340	A1 M1 M1 M1 A1	In all methods, the more accurate number to be seen. condone their $\theta$ (8435) condone their $\theta$ in radians (13770) dep on sector > triangle	4