

Question		Answer	Marks	Guidance
1		kx^{5+1} $2x^7$ cao $+ c$	M1 A1 A1 [3]	k is any non-zero constant

2		kx^{-2} $-9x^{-2}$ $+ 2x + c$ substitution of $x = 3$ and $y = 6$ in their expression following integration $c = 1$	M1* A1 M1* M1dep A1 [5]	may be awarded later c may appear at substitution stage on award of <i>either</i> of previous M1s A0 if spoiled by further working	$k \neq 0$ no marks at all for responses based on “ $mx + c$ ” eg $6 = k3^{-2} + 2 \times 3 + c$ for full marks, must see “ $y =$ ” at some stage
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3		$\frac{6x^{\frac{3}{2}}}{\frac{3}{2}}$ $4x^{\frac{3}{2}}$ $- 5x + c$ substitution of (4, 20) [y =] $4x^{1.5} - 5x + 8$ or $c = 8$ isw	M1* A1 B1 M1dep* A1 [5]	may appear later B0 if from $y = (6x^{\frac{1}{2}} - 5)x + c$	condone “ $+ c$ ” not appearing until substitution
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6	$x - \frac{6x^{-2}}{-2}$ o.e. their $[5 + \frac{3}{25}] - [2 + \frac{3}{4}]$ = 2.37 o.e. c.a.o.	2	M1 for 1 term correct
		M1	Dependent on at least M1 already earned
		A1	i.s.w.

7	$2x^6 + 5x$ value at 2 – value at 1 131	M2 M1 A1	M1 if one error ft attempt at integration only	4
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8	attempt to integrate $3\sqrt{x} - 5$ [y=] $2x^{\frac{3}{2}} - 5x + c$ subst of (4, 6) in their integrated eqn c = 10 or [y=] $2x^{\frac{3}{2}} - 5x + 10$	M1 A2 M1 A1	A1 for two terms correct	5
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9	[y =] $kx^{3/2} [+ c]$ k = 4 subst of (9, 105) in their eqn with c or c = -3	M1 A1 M1 A1	may appear at any stage must have c; must have attempted integration	4
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10	$x^5/5 - 3x^{-1}/-1 + x$ [value at 2 – value at 1] attempted 5.7 c.a.o.	B3 M1 A1	1 each term dep't on B2	5
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Question		Answer	Marks	Guidance
11		$kx^{\frac{5}{2}}$ $k = 12$ $+ c$	M1 A1 A1 [3]	

12		$\frac{x^6}{6} + kx^{\frac{5}{2}}$ $k = 4$ $+ c$	M2 A1 A1 [4]	M1 for each term if at least M1 earned
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