

1	i	$(2x - 3)(x - 4)$ $x = 4$ or $1.5$	M1 A1A1	or $(11 \pm \sqrt{(121 - 96)})/4$ if M0, then B1 for showing $y = 0$ when $x = 4$ and B2 for $x = 1.5$ condone one error	3
	ii	$y' = 4x - 11$ $= 5$ when $x = 4$ c.a.o. grad of normal = $-1/\text{their } y'$ $y[-0] = \text{their } -0.2(x - 4)$  y-intercept for <u>their</u> normal area = $\frac{1}{2} \times 4 \times 0.8$ c.a.o.	M1 A1 M1f.t. M1  B1f.t. A1	or $0 = \text{their } (-0.2)x + c$ dep on normal attempt s.o.i. normal must be linear or integrating <u>their</u> $f(x)$ from 0 to 4 M1	6
	iii	$\frac{2}{3}x^3 - \frac{11}{2}x^2 + 12x$ attempt difference between value at 4 and value at 1.5 $[-]5\frac{5}{24}$ o.e. or $[-]5.2(083..)$	M1 M1  A1	condone one error, ignore + c ft their (i), dep on integration attempt. c.a.o.	3

2	i	$y' = 3x^2 - 12x$ use of $y' = 0$ $x = 0$ and $4$ $(0, 12)$ and $(4, -20)$	B1B1 M1 A1 A1	Allow $y = 12$ and $y = -20$	
	ii	$y'' = 6x - 12$ used max when $x = 0$ , min when $x = 4$ when $x = 2$ $y' = -12$ grad of normal = $1/12$  $y + 4 = 1/12(x - 2)$  $y = \frac{1}{12}x - 4\frac{1}{6}$	M1 A1 B1 B1ft  M1ft  A1	$y'$ used each side of TP or good sketch Both stated, only one needs testing  from their $y'$  accept any numerical m Or $-4 = \text{their}(m) \times 2 + c$ Any recognisable $25/6$ , at worst 4.1	7     4 <b>[11]</b>