


1	i	$3x^2 - 6$	2	1 if one error	2
	ii	$-\sqrt{2} < x < \sqrt{2}$	3	M1 for using their $y' = 0$ B1 f.t. for both roots found	3
	iii	subst $x = -1$ in their y' [$= -3$] $y = 7$ when $x = -1$ $y + 3x = 4$ $x^3 - 6x + 2 = -3x + 4$ (2, -2) c.a.o.	B1 M1 A1 M1 A1,A1	f.t. f.t. 3 terms f.t.	6

2		$6x^5 + \frac{1}{2}x^{-\frac{1}{2}}$ o.e.	B1	$6x^5$	3
			B1	$x^{\frac{1}{2}}$ soi	
			B1	$\frac{1}{2}x^{-\frac{1}{2}}$ isw	

3	(i)	$\frac{dy}{dx} = 4x^3$ when $x = 2$, $\frac{dy}{dx} = 32$ s.o.i. when $x = 2$, $y = 16$ s.o.i. $y = 32x - 48$ c.a.o.	M1 A1 B1 A1	i.s.w.
	(i i)	34.481	2	M1 for $\frac{2 \cdot 1^4 - 2^4}{0.1}$
	(ii i) (A)	$16 + 32h + 24h^2 + 8h^3 + h^4$ c.a.o.	3	B2 for 4 terms correct B1 for 3 terms correct
	(ii i) (B)	$32 + 24h + 8h^2 + h^3$ or ft	2	B1 if one error
	(ii i) (C)	as $h \rightarrow 0$, result \rightarrow their 32 from (iii) gradient of tangent is limit of gradient of chord	1 1	

4	i	6.1		M1 for $\frac{(3.1^2 - 7) - (3^2 - 7)}{3.1 - 3}$ o.	2
	ii	$\frac{((3+h)^2 - 7) - (3^2 - 7)}{h}$ numerator = $6h + h^2$ $6 + h$	M1 M1 A1	s.o.	3
	iii	as h tends to 0, grad. tends to 6 o.e. f.t. from "6"+h	M1 A1		2
	iv	$y - 2 = "6" (x - 3)$ o.e. $y = 6x - 16$	M1 A1	6 may be obtained from 	2
	v	At P, $x = 16/6$ o.e. or ft At Q, $x = \sqrt{7}$ 0.021 cao	M1 M1 A1		3

5	iA	$x^4 = 8x$ (2, 16) c.a.o. PQ = 16 and completion to show $\frac{1}{2} \times 2 \times 16 = 16$	M1 A1 A1	NB answer 16 given	3
	iB	$x^5/5$ evaluating their integral at their co-ord of P and zero [or 32/5 o.e.] 9.6 o.e.	M1 M1 A1	ft only if integral attempted, not for x^4 or differentiation c.a.	3
	iiA	$6x^2h^2 + 4xh^3 + h^4$	2	B1 for two terms correct.	2
	iiB	$4x^3 + 6x^2h + 4xh^2 + h^3$	2	B1 for three terms correct	2
	iiC	$4x^3$	1		1
	iiD	gradient of [tangent to] curve	1		1