

# OCR Computer Science AS Level

## 1.4.1 Data Types

### Concise Notes



## Specification:

### 1.4.1

- Primitive data types
  - Integer
  - Real / floating point
  - Character
  - String
  - Boolean
- Represent positive integers in binary
- Negative numbers in binary
  - Sign magnitude
  - Two's complement
- Addition and subtraction of binary integers
- Represent positive integers in hexadecimal
- Convert positive integers between binary, hexadecimal and denary
- Representation and normalisation of floating point numbers in binary
- How character sets are used to represent text
  - ASCII
  - Unicode



## Data Types

### Integer

- A **whole number**
- Zero is an integer
- Negative numbers are integers
- Can't have a **fractional part**
- Useful for **counting** things

-88

0

15

### Real

- Positive or negative numbers
- Can, but do not necessarily, have a **fractional part**
- Useful for measuring things
- All integers are real numbers

-75.3

5.66

15

### Character

- A **single symbol** used by a computer
- The letters A to Z
- The numbers 0 to 9
- Symbols like %, £ and □

R

☒

### String

- A **collection of characters**
- Can be used to store a single character
- Can also be used to store many characters in succession
- Useful for storing text
- Don't cut off leading 0s like numeric types

Hello!

07954

### Boolean

- Restricted to **True and False**
- Useful for recording data that **can only take two values**

True

False



## Representing Positive Integers in Binary

- A single **binary digit** is called a **bit**
- Eight binary digits can be combined to form a **byte**
- Half a byte (four bits) is called a **nybble**
- The **least significant bit** of a binary number is the one furthest to the right
- The **most significant bit** is furthest to the left

## Binary Addition

When adding binary, there are four simple rules to remember:

$$1. \ 0 + 0 + 0 = 0$$

$$2. \ 0 + 0 + 1 = 1$$

$$3. \ 0 + 1 + 1 = 10$$

$$4. \ 1 + 1 + 1 = 11$$

## Negative Numbers in Binary

- Binary can represent **negative numbers** using a few different methods, we cover:
  - Sign magnitude
  - Two's complement
- These methods give a **special meaning** to certain bits

### Sign Magnitude

- The **equivalent of adding a + or - sign** in front of a number
- A **leading 1** is added for a negative number
- A **leading 0** is added for a positive number

### Two's Complement

- Has the added advantage of making binary arithmetic with negative numbers **much more simple**
- Works by making the most significant bit negative
- Converting to two's complement is as simple as flipping all of the bits in the positive version of a binary number and adding one



## Subtracting in Binary using Two's Complement

- Two's complement [makes subtraction in binary easy](#)
- Subtracting a number from another is the same as adding a negative number
- To subtract in binary, use [binary addition](#) with a negative two's complement number

## Hexadecimal

- Hexadecimal is [base 16](#)
- The characters 0-9 are as usual
- The characters A-F represent 10-15
- Place values start with 1 ( $16^0$ ) and go up in powers of 16.

Decimal															
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Hexadecimal															
0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F

### Converting from hexadecimal to binary

- First convert each hexadecimal digit to a [decimal number](#)
- Convert these to a [binary nybble](#)
- Combine the nybbles to form a single binary number

### Converting from hexadecimal to decimal

- First [convert to binary](#), as explained above, and then convert [from binary to decimal](#)
- Alternatively, use the place values of hexadecimal to convert directly to decimal

## Floating Point Numbers in Binary

- Floating point binary is similar to [scientific notation](#)
- Floating point numbers can be split into two parts:
  - Mantissa
  - Exponent
- The mantissa is always taken to have the [binary point](#) after the most significant bit
- Next [convert the exponent to decimal](#)
- Move the binary point according to the exponent



## Normalisation

- Maximises **precision** in a **given number of bits**
- To normalise a binary number:
  - Adjust the mantissa so that it starts 01 for a positive number of 10 for a negative number

## Character Sets for Representing Text

- A published collection of codes and corresponding characters
- Can be used by computers for representing text
- Two widely used character sets are ASCII and Unicode

### ASCII

- American Standard Code for Information Interchange
- The leading character set before Unicode
- Uses 7 bits to represent  $2^7 = 128$  different characters
- ASCII soon came into trouble when computers needed to represent other languages with different characters

### Unicode

- Solves the problem of ASCII's limited character set
- Uses a **varying number of bits** allowing for over 1 million different characters
- Many characters have yet to be allocated
- Enough capacity to represent a wealth of different languages, symbols and emoji

