

**AQA Computer Science A-Level**  
**4.5.3 Units of information**  
**Advanced Notes**



## Specification:

### 4.5.3.1 Bits and bytes:

Know that:

- the bit is the fundamental unit of information
- a byte is a group of 8 bits

Know that the  $2^n$  different values can be represented with  $n$  bits.

### 4.5.3.2 Units:

Know that quantities of bytes can be described using binary prefixes representing powers of 2 or using decimal prefixes representing powers of 10, eg one kibibyte is written as  $1\text{KiB} = 2^{10}$  B and one kilobyte is written as  $1\text{kB} = 10^3$  B.

Know the names, symbols and corresponding powers of 2 for the binary prefixes:

- kibi, Ki -  $2^{10}$
- mebi, Mi -  $2^{20}$
- gibi, Gi -  $2^{30}$
- tebi, Ti -  $2^{40}$

Know the names, symbols and corresponding powers of 10 for the decimal prefixes:

- kilo, k -  $10^3$
- mega, M -  $10^6$
- giga, G -  $10^9$
- tera, T -  $10^{12}$



## Bits and bytes

A **bit** is the **fundamental unit of information** that can only take **two values**, 1 and 0, which can be represented by computers using **high or low currents**.

A collection of **8 bits** is called a **byte**. Half a byte (4 bits) is called a **nybble**.

A bit is notated with a **lowercase** b whereas a byte uses the **uppercase**.

$$2b = 2 \text{ bits}$$

$$3B = 3 \text{ bytes} = 3 * 8 \text{ bits} = 24 \text{ bits}$$

The number of **different values** that can be represented with a **specified number of bits** varies with the number of bits. The more bits that are assigned to a number, the greater the number of values that can be represented.

More specifically, there are  $2^n$  different values that can be represented with  $n$  bits.

For example, using just 2 bits, there are four ( $2^2$ ) possible **permutations** of the bits and hence four **different values** that can be represented, as shown below.

00	01	10	11
= $0_{10}$	= $1_{10}$	= $2_{10}$	= $3_{10}$

If we use a byte (8 bits), there are 256 ( $2^8$ ) different values that can be represented.

The **range** of values that can be represented with a specified number of bits also depends on the number of bits. This is covered in more detail in the **binary number system** notes.

### Synoptic Link

A subscript 10 denotes that the decimal **number base** is being used.

Different subscript notations are covered in **number bases**.



## Units

Quantities of bytes can be described using **binary prefixes** or **decimal prefixes**. Binary prefixes go up in **powers of two** whereas decimal prefixes go up in **powers of ten**.

You will be familiar with decimal prefixes from everyday life. For example, 1000 grams is 1 kilogram. Binary prefixes are not used as frequently as decimal prefixes but they have **similar orders of magnitude**.

Binary		Decimal	
Prefix	Value	Prefix	Value
Kibi (Ki)	$2^{10}$ = 1024	Kilo (K)	$10^3$ = 1000
Mebi (Mi)	$2^{20}$ = 1048576	Mega (M)	$10^6$ = 1000000
Gibi (Gi)	$2^{30}$ = 1073741824	Giga (G)	$10^9$ = 1000000000
Tebi (Ti)	$2^{40}$ $\approx 1.0995 \times 10^{12}$	Tera (T)	$10^{12}$ = $1 \times 10^{12}$

$$1 \text{ Kib} = 1 \text{ kibibit} = 2^{10} \text{ bits}$$

$$1 \text{ KiB} = 1 \text{ kibibyte} = 2^{10} \text{ bytes} = 2^{10} * 8 \text{ bits} = 8192 \text{ bits}$$

$$1 \text{ GB} = 1 \text{ gigabyte} = 10^9 \text{ bytes} = 10^9 * 8 \text{ bits} = 8 \times 10^9 \text{ bits}$$

